

Improving Prediction of Wireline Data Using Artificial Neural Network

By

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14710

Supervised By

Dr. Sia Chee Wee

A project dissertation submitted

In partial fulfilment of the requirement for the

Bachelor of Engineering (Hons)

(Petroleum Engineering)

JANUARY 2015

University Teknologi PETRONAS

Bandar Seri Iskandar

31750 Tronoh

Perak Darul Ridzuan

CERTIFICATION OF APPROVAL

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Approved by,

.....

(Dr. Sia Chee Wee)

Project Supervisor

CERTIFICATION OF ORIGINALITY

This is to certify that I am responsible for the work submitted in this project, that the original work is my own except as specified in the references and acknowledgements, and that the original work contained herein have not been undertaken or done by unspecified sources or persons.

Written by,

.....

(Ahmed Mohamad Essam Aly Rafaat, 14710)

ABSTRACT

This paper is dedicated to investigate the capabilities of artificial neural network (ANN) to improve prediction of petrophysical properties. Furthermore, this project is intended to test capability of network to predict the logging tools readings based on other tools readings.

For petrophysical data prediction, it will be limited to predicting values of porosity by comparing predicted values from different models and values obtained from core data.

Data obtained for core is considered to be the most accurate representation of petrophysical data. Hence, it is used as a reference data for testing capabilities of the model and training ANN networks.

On the other hand, for logs data, the data sets are limited to these six (6) fundamental logs; transient time (DT), gamma ray (GR), neutron porosity (NPHI), bulk density (RHOB), resistivity deep (ILD) and resistivity shallow (ILM).

In this research Gullfaks field data is utilized for training the model, and improving its prediction. Also, it will be used to test the model and its ability to predict the logs and porosity values.

Then, this paper takes it further to test obtained ANN models on other fields. For this purpose, Kansas City log data is utilized to predict capability of model to predict logs reading and to prove the obtained models are universal models and not limited to the trained reservoir.

Also, optimization of models formulated will be utilized on two fields. First field is utilizing the input data to statistically cover all possibilities of outputs whereas the other field is to optimize the model to use less nodes and reduce running time to estimate outputs.

Finally, the research final model will be tested if it can be utilized on different reservoirs. In this research, the data from Gullfaks field is utilized to obtain the models and data from Kansas City for testing final model.

Results show that there is a true empirical formula among the logs and the accurate determination of the formula is strongly related to the quality of data obtained

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CHAPTER 1

INTRODUCTION

1.0 BACKGROUND

The goal behind Wire-line data is to have continuous representation of formation physical properties, lithology and fluids content. Wire-line data is essential to obtain critical information to form proper reservoir model. The more accurate the data collected from wire-line logging, the more accurate is the reservoir model prediction.

1.1 Wireline brief history

First electric wireline log reading goes back to 1927 in a small oil field at Pechelbronn, Alsace, France. The electrical resistivity log was recorded using a SONDE which measures formation resistivity within every few intervals. The first resistivity continuous reading was introduced in mid-1950.

In 1930, the anisotropy dip meter was introduced to the logging tools. One year later, the spontaneous potential (SP) log was introduced by Marcel and Conrad, the Schlumberger brothers, and then included among resistivity logs. In 1946, the photo clinometer was introduced. Those were the first logging tools available.

However since then, wireline tools development became more diverse and complex. Nowadays, geologists use huge combination of logging tools to determine different lithological properties to estimate petrophysical properties which in its turn aid in volumetric calculations of reserves.

1.2 Uncertainties within well-log data

Solution of any technical problem is derived from connections between various quantities and parameters. The relations between various quantities can be explicit or implicit. (Walstrom, 1967, December 1)

According to Walstrom, the petrophysical properties estimation entirely depend on the quantities which estimation is calculated from. Any inaccuracy in acquiring data of those properties will propagate error in the estimation process.

Determined variables, are parameters quantified with high accuracy and degree of precision. Accuracy and degree of precision of determined variables depend on

statistical description of data accumulated on specific variable during the data development stage.

Uncertainties evolve from difficulties in directly measuring quantities. Within petroleum engineering, the fact is that petroleum engineers do not have direct access to the reservoir, which leads to difficulties in measuring the reservoir petrophysical properties. Such type of complexity result in great contribution in reservoir uncertainties that widely affect reserves estimation. (Walstrom, 1967, December 1)

To determine porosity, logging tools undergoes huge uncertainties, since the tool measurement is defined by equations where porosity is a factor in the equation. Thus, uncertainty exists.

As an example for simplification, porosity can be defined using the following three equations from different logging tools:

1) Neutron Porosity :

$$\phi_n = (1 - \phi_e)\phi_{Nma} + \phi_e[S_w \times \phi_{NF1} + (1 - S_w)\phi_{NF2}]..... (1)$$

2) Density Porosity :

$$\rho_b = (1 - \phi_e)\rho_{Nma} + \phi_e[S_w \times \rho_{F1} + (1 - S_w)\rho_{NF2}]..... (2)$$

3) Sonic Porosity :

$$\Delta T_n = (1 - \phi_e)\Delta T_{Nma} + \phi_e[S_w \times \Delta T_{F1} + (1 - S_w)\Delta T_{F2}]..... (3)$$

The most efficient way to estimate real porosity values from those logs is by correlating the three equation obtained using readings from different logs which will result in near accurate data compared to the porosity within lithology. Correlation between the three equations reduces or eliminates uncertainties involved in well log data readings.

1.3 Introduction of Artificial Neural Network in Petroleum Engineering

Artificial Neural Network (ANN) is the attempt to simulate real human neurons work model in solving non-linear relations and patterns.

Ali made a study to show that ANN can be used in variety of applications within petroleum industry like geology and geophysics to determine reserves estimation and

mineral identification from well log (Ali, 1994, January 1). In formation evaluation, ANN has been used also used in predicting carbonate permeability and prediction of pore pressure from well logs data.

Kumoluyi conducted a study on how to use higher order neural networks for different petroleum engineering applications. They used well-log interpretation to establish a continuity of stratigraphic units and multiphase flow analysis to determine flow regime for given flow conditions, also on using seismic data to compress large amount of data without compromising vital information. (Kumoluyi et al, 1994).

Arora used parallel systems of ANN to compute different processes, using high count of input data and built relationship between them. (Arora, 10 January 2014). Kumar used ANN to predict permeability and porosity of specific reservoir from well log and seismic data with accuracy of 92 %.(Kumar, 2012).

On the other hand, ANN is widely used outside petroleum engineering in various field and proven to be highly effective. In medicine it is used to Modeling and Diagnosing the Cardiovascular System

Neural Networks are used experimentally to model the human cardiovascular system. Diagnosis can be achieved by building a model of the cardiovascular system of an individual and comparing it with the real time physiological measurements taken from the patient. If this routine is carried out regularly, potential harmful medical conditions can be detected at an early stage and thus make the process of combating the disease much easier.

ANN also is used in security systems as a face recognition to specific people where it can grant access or trigger an alarm based on the face captured from the surveillance.

What makes ANN very popular is its parallel processing capabilities, where in normal computer processors code is run step by step, or command after command, on the other hand ANN have capabilities to run different commands parallel at the same time and speed. The difference is each neuron runs a small and simple operation where the combined effort of all neurons is summed and the final answer required from the model is obtained.

2. PROBLEM STATEMENT

One of the main methods to determine reservoir petrophysical properties is by using wireline data. Wireline data is used to determine many critical petrophysical properties such as porosity, permeability and water saturation. The increase of reservoir complexity causes high uncertainties in estimation of reservoir petrophysical

properties. Uncertainties can be due to wide range of error such as error in readings from tool while data gathering, offset in equipment calibration and wrong statistical data handling. With uncertainty in inputs a definite error propagate towards the outputs.

To determine the reserves volume within the reservoir the following formula is generally utilized.

$$Reserves\ volume = (B.V \times NTG \times \Phi \times (1 - S_w) \times R.F)/B_o \dots \dots \dots (4)$$

To solve the formula, we need to obtain porosity (Φ), Water Saturation (S_w) and Net to Growth (NTG) from wireline data. Each of porosity, water saturation and net to growth is the associated uncertainties which cause error and deviation from real reservoir petrophysical properties.

Coring provides the only valid representation of the formation. It's the only means of direct measurement. All other methods such as well logs require interpretation. While conventional well logs play an important part in reservoir identification, only coring can ensure reliable correlation of those logs to the actual subsurface conditions. And for the most advanced analysis, only core samples can yield critical data such as porosities, permeability, and saturations.

Coring cost is calculated from the following equation:

$$C_c = \frac{C_b + C_s + C_r \times (t_t + t_c + t_{rc})}{L} \times \frac{1}{R_c} \dots \dots \dots (4)$$

- | | |
|---|--|
| Cc = coring cost per foot. | tt = trip time, hour. |
| Cb = cost of core bit. | tc = core recovering time, hour. |
| Cs = cost of coring service from a service company. | trc = core barrel handling time, hour. |
| Cr = rig day rate. | L = length of core recovered, ft. |
| | Rc = percentage of core recover, %. |

Where the average cost per foot range between 500 to 900 USD per foot depending on rig rate and bit used for coring operations.



Figure 1: Steps of Coring Process (Halliburton Drilling Plug System)

On the other hand, running wireline can be significantly cheaper that it reaches 80 to 180 USD per foot.

With current decrease of oil prices and search for oil in unconventional locations, the need for cost saving techniques is highly needed by the industry to continue supplying the world with needed energy. By reducing the coring cost to almost zero and minimize the logging tool running cost lead to almost 20 to 25% cost reduction in the overall development plan.

3. OBJECTIVE AND SCOPE OF STUDY

New approach is required to estimate reservoir petrophysical properties that will lead to cost reduction. ANN presents a robust approach to find such complex mathematical relations due to its huge capacity to recognize patterns and complex nonlinear relations among different variables by learning through training.

The objective of this paper is to attempt to utilize the power of ANN in finding complex non-linear relations between various well log inputs, correlate uncertainties associated and estimate petrophysical properties of reservoir.

Due to time and source constraints, this study is limited to the following scope:

- 1) Formulating empirical formulas between the following logs:
 - a. Raw Bulk Density Correction well-log (RHOB).
 - b. Sonic Log well-log (DT).
 - c. Gamma Ray Log well-log (GR).
 - d. Raw Deep Induction Resistivity well-log (ILD).
 - e. Raw medium Induction Resistivity well-log (ILM).
 - f. Neutron Porosity well-log (NPHI).
- 2) Estimation of Porosity using correlation between correlated logs and core data.

The training and testing data will be limited to Gullfaks well-log data and validation of model global application will be limited to Kansas City well-log data to prove that formulas obtained from scope one can be applied in different reservoirs.

CHAPTER 2

LITERATURE REVIEW

2.1 DIFFERENT WIRELINE INTERPRETATION MODELS

Different physical properties of reservoir lithology can be estimated using different log tools. The process involves measuring different physical properties by sending down the tools into borehole. Then on surface, geologists with the aid of advance computer software, interpret values recoded by the tool on a log-log papers. Using specific models and equations, the petrophysical properties is estimated from data recorded by logging tools.

As an example, evaluating porosity from well-log data. Porosity can be determined by three different types of logging tool that measure different lithology's physical property such as sonic, density and neutron log.

2.1.1 Sonic log

Sonic log measures interval of time needed by sound to travel from one point to another through compressional sound wave through formation along borehole axis. (Brock, 1986). The interval of time taken by the sound to travel from specific point on the tool through formation to another point, is called transit time (Δt), and usually measured in $\mu\text{sec}/\text{ft}$ or $\mu\text{sec}/\text{m}$ depending on imperial or SI units.

From sonic logs, porosity can be determined by Wyllie's Time-average formula:

$$\Phi = \frac{\Delta t_{log} - \Delta t_{matrix}}{\Delta t_f - \Delta t_{matrix}} \dots \dots \dots (5)$$

Or by Raymer-Hunt-Gardner's formula:

$$\Phi = \frac{5}{8} \times \frac{\Delta t_{log} - \Delta t_{matrix}}{\Delta t_{log}} \dots \dots \dots (6)$$

Assuming that we know the transit time for the matrix with high accuracy.

2.1.2 Density log

Density log uses gamma ray from a chemical source. Density log interacts with formation's elements on the electron level. Porosity is determined by count of returning gamma rays. The count measures density of electrons within formation. Two energy levels are measured to estimate various characteristics. First energy

level is high energy gamma that utilizes Compton's scattering concept to estimate bulk density and therefore, Porosity. The second energy level is low energy gamma which utilizes photoelectric effect to estimate formation lithology. Low energy gamma is independent from porosity value and formation fluids content. (Brock, 1986)

Porosity is evaluated from the following formula:

$$\Phi = \frac{\rho_{ma} - \rho_b}{\rho_{ma} - \rho_f} \dots\dots\dots (7)$$

Assuming matrix and fluid density need to be known.

2.1.3 Neutron log

Neutron log uses neutrons emitted from chemical source, usually a mixture of Americium-Beryllium. A neutron is almost as heavy as a proton. Hydrogen atom has one single proton in the nuclei. Bombardment of the hydrogen nuclei by neutron rays causes hydrogen and neutron to collide. Average energy loss due to neutron-hydrogen collisions is almost 50% of original neutron energy. Water, oil and gas are rich with hydrogen atoms, which make them very easily detectable using neutron logs. By estimating fluid content within formation, geologists can easily estimate the volume of fluid occupying pores within formation, hence estimate the porosity (Brock, 1986).

2.2 SOURCES OF PETROPHYSICAL UNCERTAINTY

Estimation of the real reservoir porosity from a single log cause low reading accuracy and precision. Estimation of the real reservoir porosity from a single log, results in many errors in reservoir reserves volume estimation. This is credited to many uncertainties and errors associated with each log readings. In geophysics, a common practice by engineers is to use cross-plot to correlate for major errors and uncertainties in well log readings, due to formation and borehole complexity.

In case of sonic log, porosity readings can be affected in case of borehole enlargement. The transit time recorded will be deviated from real transit time value within formation, due to space between sonic tool and borehole wall. If formation contains fractures or faults, this will lead sonic waves to pass through two different formation densities leading to a shift in transit time reading that cause the porosity

estimation at that particular depth to be deviated from real value. Those are some examples of uncertainties associated with formation complexity. Other errors are due to measuring process, such as excessive logging speed which causes road noise.

For density logs, one example of uncertainty can be noticed from type of mud used in drilling, borehole roughness and variations in borehole diameter across the depth. Those variations and uncertainties are mainly due to barrier between tool and formation or measuring tool lost contact with formation.

Neutron log is less effected by rough borehole which makes it good for reducing errors in other logs readings. Sonic log is highly affected by high temperature and pressure. Sonic log is also effected by borehole salinity and mud cake formation. All those types of uncertainty is due to the complex model of reservoir borehole. Other uncertainties evolve from data collection process, measuring tool calibrations and many others.

With every model, combined readings from different logs lead to different type of uncertainty quantification. Using combination of logs to correlate for error and uncertainty is tedious long process which impact the reserves estimation economically.

A new approach suggested in this project to utilize ANN power, to determine complex log pattern in complex formations and correlate logs readings to estimate different petrophysical properties.

2.3 ARTIFICIAL NEURAL NETWORK MODEL

Artificial Neural Network is a mathematical model to simulate the working mechanism of real neuron in animal's brain (Arvin Kumar, 2012). General structure of artificial Neural Network consists of 3 main parts; Input layer, Output layer and Hidden layers. Each layer contains several number of neurons called perceptron. The whole model is called Multi-Layer Perceptron (MLP).

Input layer nodes is determined by number of input in data. The number of input nodes depend on number of variables the output will depend on within the model being formulated. Output layer neurons depend on number of variables the model is estimating. Hidden nodes can vary from each model, and depend majorly on the complexity of the model we trying to formulate.

The connections between each layer is defined by a weight. Each node in input is connected to all the nodes in the hidden layer with a specific weight which is adjusted in the learning process.

In general, there are three types of learning algorithm; supervised, reinforced and unsupervised. Supervised learning involves providing the ANN model with the inputs and targeted output values. Then by calculating the errors, the artificial neural network adjusts each weight until the least error is reached through validation.

Reinforcement learning is achieved by replacing the output targeted values with a grade that identifies accuracy of the predicted output. Unsupervised learning is a very new technique and mathematicians are still developing theories and techniques to utilize it in various application. The general concept of unsupervised learning is that ANN try through the input data analysis can identify directly the relations between data without providing any type of outputs.

There are two types of neural network, one is feed forward which means the model flow is input layer , hidden layers , output layers error estimation, then repeat the same process. On the other hand, a feed backward neural network is where outputs is reused again with inputs to obtain more accurate model by recursive error estimation.

Errors estimation within Neural Network is considered as a crucial part in the model formalizing process. Back propagation is the most simple and widely used algorithm. In back propagations, error of mean square is the difference between optimum target and ANN output. Other learning algorithms use different error estimation methods like Levenberg-Marquardt (LM) that uses Newtonian optimization method which proves to be more accurate and precise to compute the correct model.

Error estimates have two algorithms. First method is stochastic, where errors are adjusted after every input cycle calculation. Second method is batch, where weight is adjusted after all input data is calculated and error for all data is summed up and new weights for each connection is determined.

Batch method uses high memory space due to need to save all the error within memory. In exchange for huge data storage within batch method, batch method can define the error within model as a whole and can accurately define relations between

different inputs. Stochastic method runs faster and use less memory space but it handles each input separately, which leads sometimes to incomplete definition of model errors that lead to poorly formulize the model by not accounting for all errors.

The strength of ANN model is the ability to identify general features with least error without fitting the data. This mainly depend on the quality of data provided.

In general, ANN learning process depend on three different set of data. Each set consists of input data and corresponding output data. First set is the learning data which is used in determining connections' weight. The learning data should be statically random and do not cover single range of output parameters. Validation data is used to identify the stopping criteria for learning cycles. The validation data should cover a huge to all range of output parameters. Stopping criteria is achieved by calculating the error from validation data set, and when error starts to increase, the network stops the learning process or the network will start to memorize the learning data set which won't lead to a general model to describe relation between inputs and outputs. Lastly, testing data is to determine how successful the ANN is in generalizing the model. Testing data have to be totally new to ANN model which means the data records haven't been used in learning or validation data sets.

The quality of ANN model developed highly depend on the accuracy and variety of data sets used in the learning process. The ability if ANN network to generalize the model on different and new cases and not memorizing the input data only highly depend on datasets utilized to formulate the model.

CHAPTER 3

METHODOLOGY

3.1 Data Description

In this study, the source of data utilized is from two different reservoirs. The first data source is from Kansas City geology department. The data consists of single random well. The second data source is from Gullfaks field. Data consists 108 logs calculated from three different main platforms; platform A, B, and C. The log files is in standard ASCII *.las* format. Both data have more than six logs but this research will focus on the main common 6 logs among both data which are:

- 1) Sonic Log well-log (DT).
- 2) Gamma Ray Log well-log (GR).
- 3) Raw Deep Induction Resistivity well-log (ILD).
- 4) Raw medium Induction Resistivity well-log (ILM).
- 5) Neutron Porosity well-log (NPHI).
- 6) Bulk Density (RHOB)

Other type of data utilized is core data. They are on standard *.core* format. Porosity data which this research goal is to determine from the log data is obtained form *.core* data. The core data is used to train the network to obtain relation between porosity from core data and well-logs readings from the mentioned five logs.

Kansas City data will not be used in training the ANN but only random data from Gullfaks field. After obtaining the final model, Kansas City data will be used to test the model capabilities to predict its log data.

3.2 Organizing the data

Log data is in *.las* format which is hard to transfer to MATLAB to be used to develop the ANN model. For such a code is developed using C++ to extract data from different logs. The code is attached in appendix.

Then the output 158 text files is imported in Microsoft access to into tables which then is appended to form a single huge data of six logs and corresponding reading.

Total records of data obtained from Gullfaks is 333,220 line of data. The data is organized so that for every parameter the network is trained over the whole range of

expected values. Data from Core log obtained and correlated to the reading of the logs. Then data is used to train the core model.

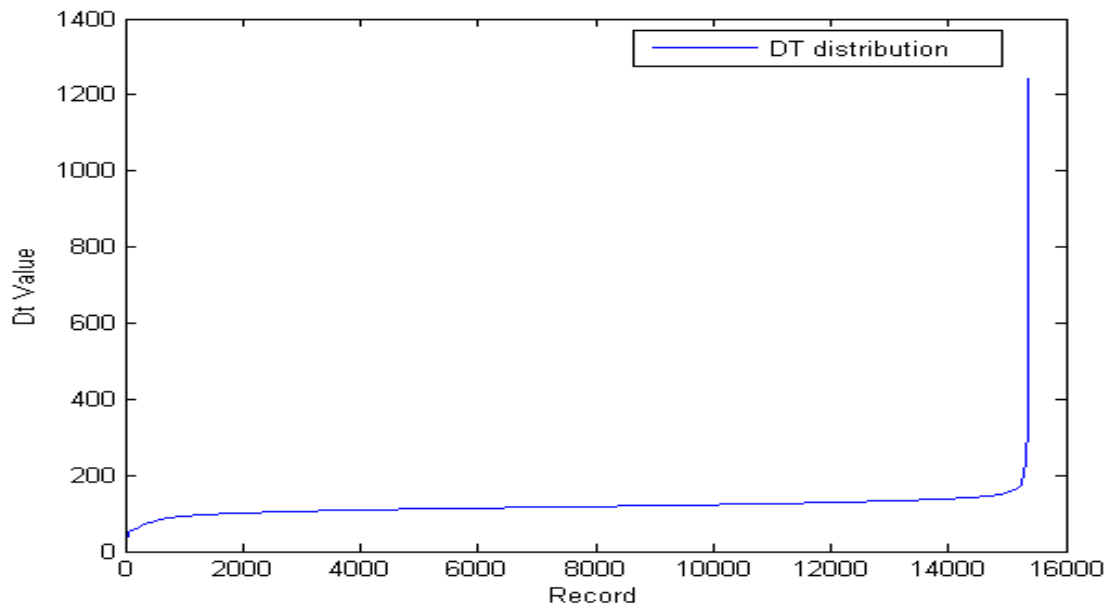


Figure 2: DT-log Distribution

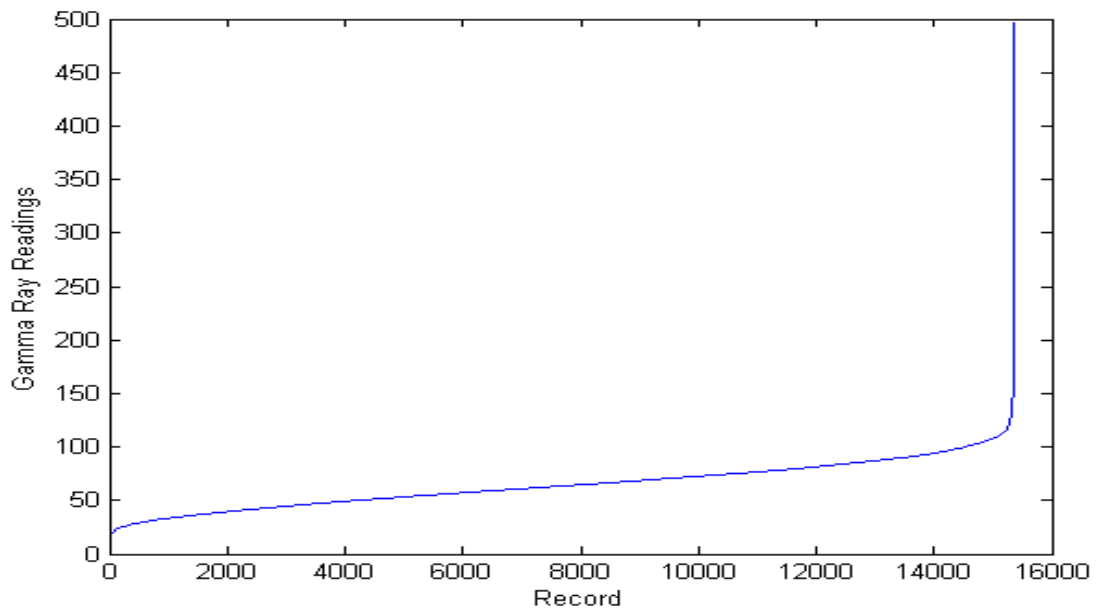


Figure 3: GR-Log Distribution

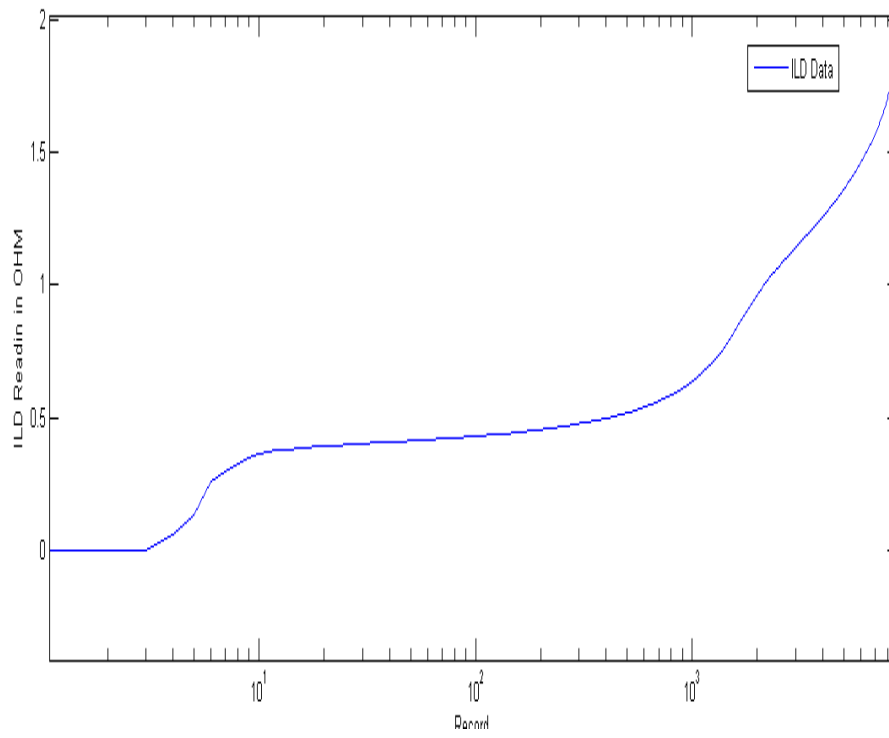


Figure 4: ILD-Log Distribution

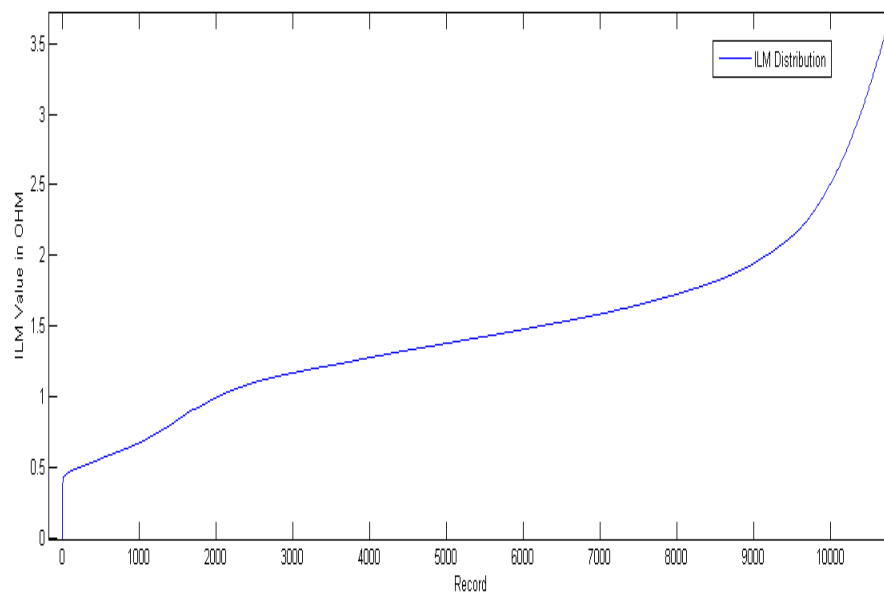


Figure 5: ILM -Log Distribution

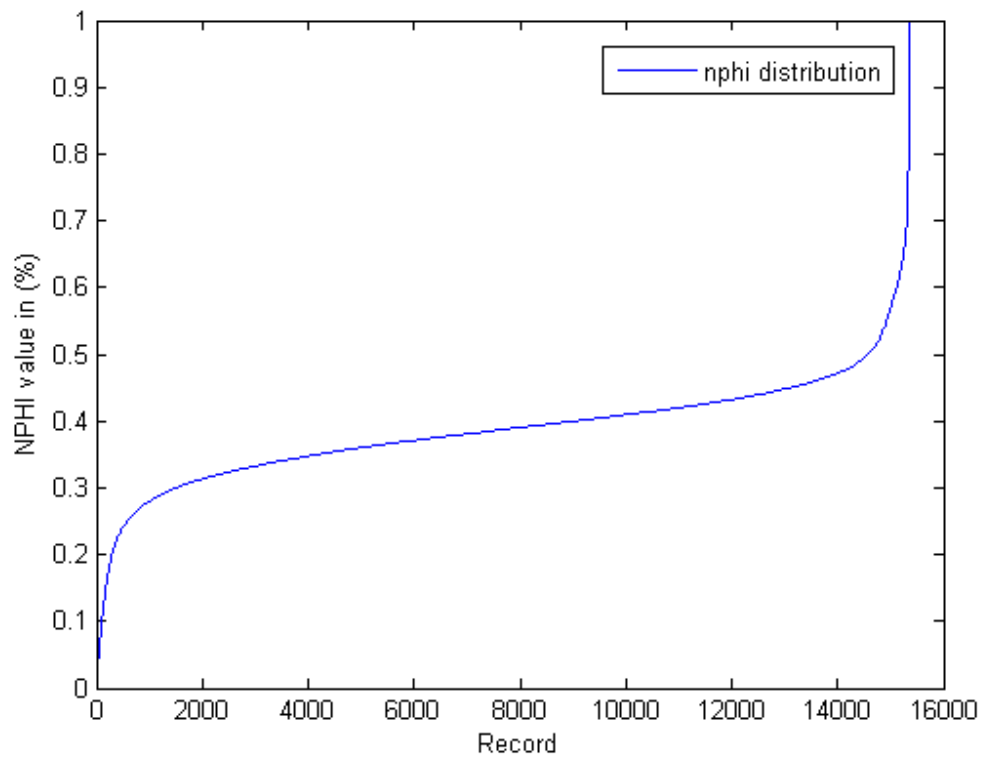


Figure 6: Nphi-Log Distribution

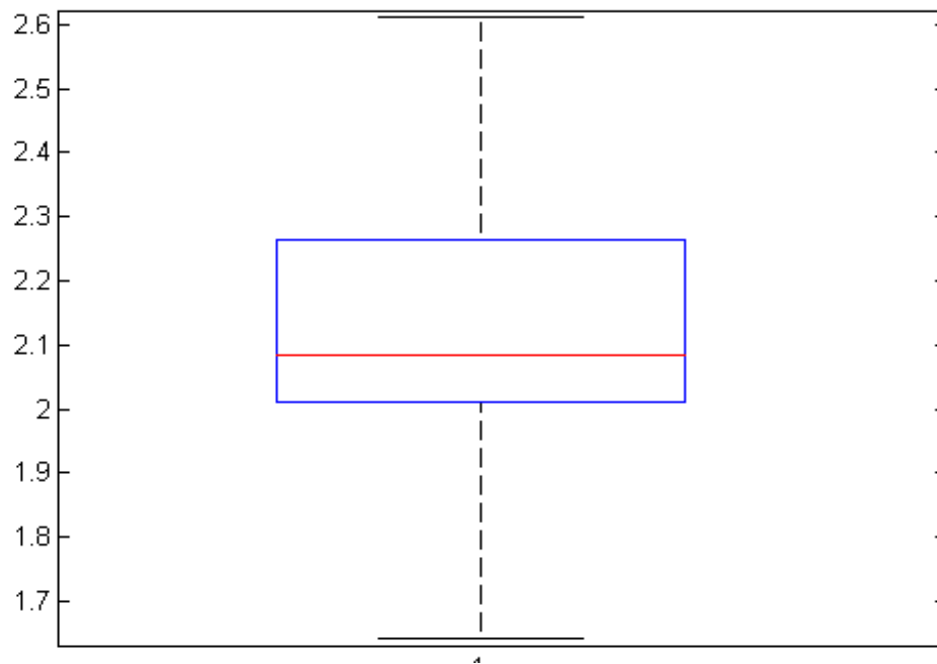


Figure 7: RHO B Distribution


```

~Version Information
VERS.                2.0: CWLS Log ASCII Standard - VERSION 2.0
WRAP.                NO: One line per depth step
#Non standard LAS - data should be wrapped
~Well Information Block
STRT.FT              1145.0000: START DEPTH
STOP.FT              3710.5000: STOP DEPTH
STEP.FT              0.5000: STEP
NULL.                -999.2500: NULL VALUE
COMP.                Aaron Oil: COMPANY
WELL.                Bieker No.1-25: WELL
FLD.                 Unnamed: FIELD
LOC.                 SE NE NE --980' FNL & 330' FEL: LOCATION
CNTY.                Ellis: COUNTY
SRVC.                : SERVICE COMPANY
DATE.                Thu Dec 06 14-00-58 2012: LOG DATE
UWI.                 : UNIQUE WELL ID
STAT.                Kansas: STATE
SECT.                25: SECTION
TOWN.                15S: TOWNSHIP
RANG.                19W: RANGE
API.                 15-051-26,437-00-00: API#
PDAT.FT              Ground Level: PERMANENT DATUM
LMF.FT               Kelly Bushing: LOG MEASURED FROM
DMF.FT               Kelly Bushing: DRILLING MEASURED FROM
EKB.FT               1978: KB
EDF.FT               : DF
EGL.FT               1970: GL
DATE1.               12/6/2012: DATE1
ENGI1.               D.Kerr: RECORDED BY
WITN1.               Herb Deines: WITNESSED BY

```

Figure 8: Kansas City Well Description

3.4 Training and model evaluation

The training procedure is simple where MATLAB tool box is utilized. The tool box use the following configuration to build the ANN model for all logs:

- Tool Name: Net Fitting Tool.
- Training Data Cut: 70%.
- Validation Data Cut: 15%.
- Testing Data Cut: 15%.
- No. of Hidden neuron: 10 neurons.
- Training algorithm: Levenberg-Marquardt.
- Error Correction: Back propagation.
- Error Estimation: Mean Square Error.
- Stopping criteria: min Mean Square Error obtained.

Steps for training the different models is illustrated in the figure below:

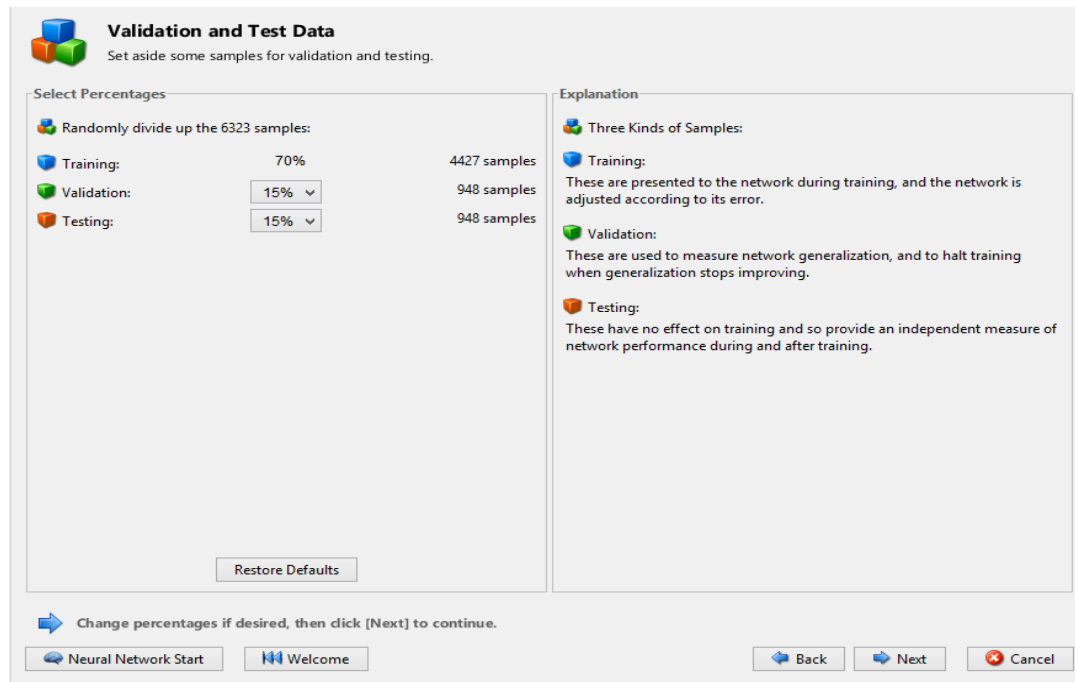


Figure 9: MATLAB TOOL BOX TRAINING STEPS (1)

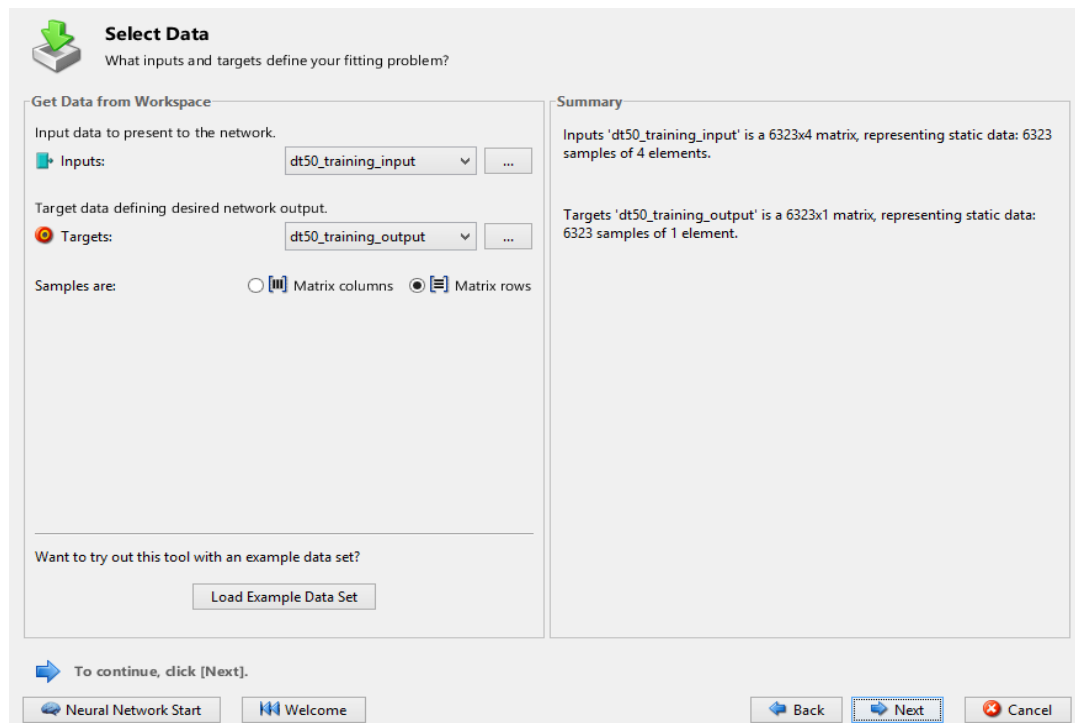


Figure 10: MATLAB TOOL BOX TRAINING STEPS (2)

Train Network

Train the network to fit the inputs and targets.

Train Network

Train using Levenberg-Marquardt backpropagation. (trainlm)

Training automatically stops when generalization stops improving, as indicated by an increase in the mean square error of the validation samples.

Results

	Samples	MSE	R
Training:	4427	544.97577e-0	4.61654e-1
Validation:	948	1646.85734e-0	2.61337e-1
Testing:	948	1655.85372e-0	1.87316e-1

Notes

- Training multiple times will generate different results due to different initial conditions and sampling.
- Mean Squared Error is the average squared difference between outputs and targets. Lower values are better. Zero means no error.
- Regression R Values measure the correlation between outputs and targets. An R value of 1 means a close relationship, 0 a random relationship.

Open a plot, retrain, or click [Next] to continue.

Figure 11: MATLAB TOOL BOX TRAINING STEPS (3)

Network Architecture

Set the number of neurons in the fitting network's hidden layer.

Hidden Layer

Define a fitting neural network. (fitnet)

Number of Hidden Neurons:

Recommendation

Return to this panel and change the number of neurons if the network does not perform well after training.

Neural Network

Change settings if desired, then click [Next] to continue.

Figure 12: MATLAB TOOL BOX TRAINING STEPS (4)

Save Results

Generate MATLAB scripts, save results and generate diagrams.

Generate Scripts
Recommended >> Generate scripts to reproduce results and solve similar problems: Simple Script Advanced Script

Save Data to Workspace

- Save network to MATLAB network object named:
- Save performance and data set information to MATLAB struct named:
- Save outputs to MATLAB matrix named:
- Save errors to MATLAB matrix named:
- Save inputs to MATLAB matrix named:
- Save targets to MATLAB matrix named:
- Save ALL selected values above to MATLAB struct named:

Restore Defaults Save Results

Deploy the Network

Generate a neural or Simulink diagram of the network: Neural Network Diagram (network/view) Simulink Diagram (gensim)

Save results and click [Finish].

Neural Network Start Welcome Back Next Finish

Figure 13: MATLAB TOOL BOX TRAINING STEPS (5)

Neural Network

Algorithms

Data Division: Random (dividerand)
 Training: Levenberg-Marquardt (trainlm)
 Performance: Mean Squared Error (mse)
 Derivative: Default (defaultderiv)

Progress

Epoch:	0	22 iterations	1000
Time:		0:00:03	
Performance:	2.37e+05	542	0.00
Gradient:	1.70e+06	196	1.00e-07
Mu:	0.00100	1.00	1.00e+10
Validation Checks:	0	6	6

Plots

- Performance (plotperform)
- Training State (plottrainstate)
- Error Histogram (ploterrhist)
- Regression (plotregression)
- Fit (plotfit)

Plot Interval:

Opening Performance Plot

Stop Training Cancel

Figure 13: MATLAB TOOL BOX TRAINING STEPS (6)

3.5 ANN Model Structure

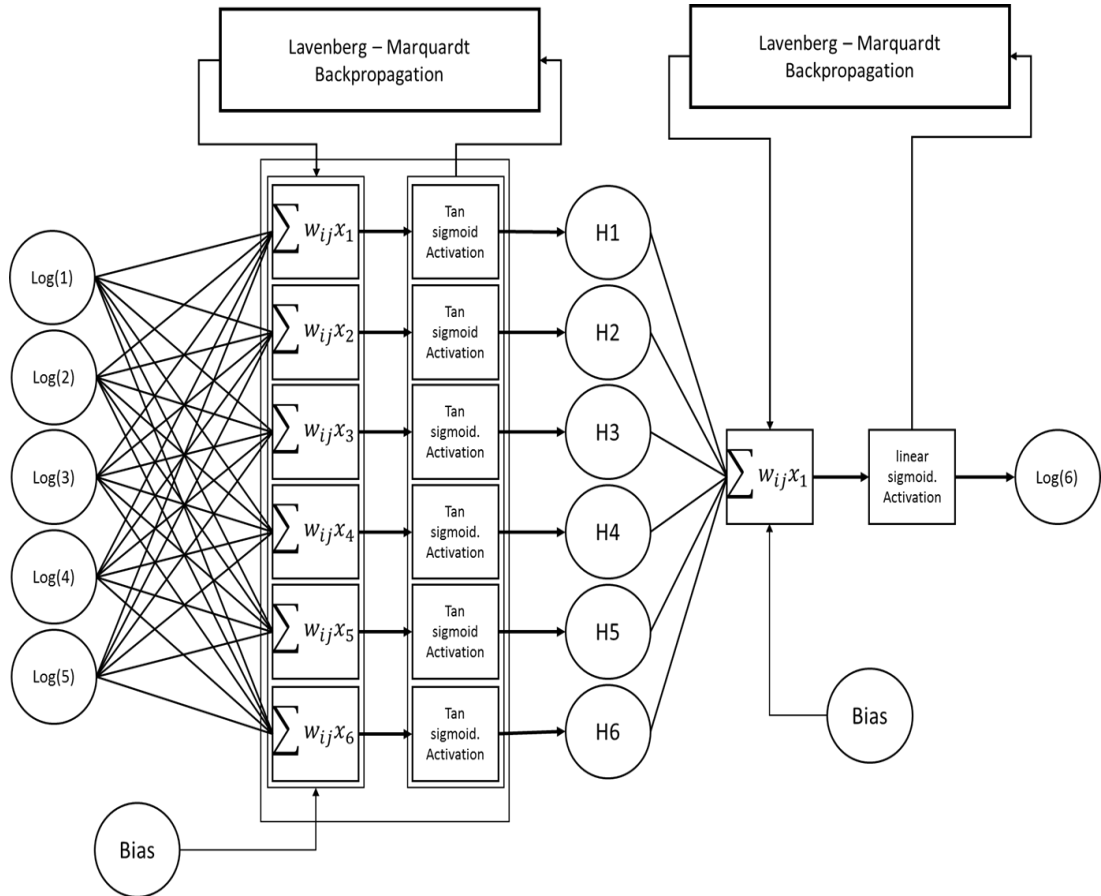


Figure 14: ANN Model

The above figure represents the general structure for training model for logs & porosity estimation. By using other logs, we can correlate the values of each log which lead to another set of data of correlated logs which is combined to determine the porosity values.

3.6 Training Different Models

Four models is developed to obtain best results in predicting the core data. Then other 5 models is used to obtain the logs data.

3.6.1 Training Core Data

Table 1: LIST OF DIFFERENT MODEL TO BE TRAINED FOR CORE

Model -1-	Direct Correlation between log Data and Core data without changing input and outputs.
Model -2-	First Model logs using logs ANN model then using their outputs model ANN to predict the Porosity value.
Model -3-	Normalize data from 1 to 0 then running log to porosity model directly.
Model -4-	Use a specific focused range for data ex. GR (20 – 200 API).

3.6.2 Training Log Data

Table 2: LIST OF DIFFERENT MODEL TO BE TRAINED FOR LOGS

Model -1-	Sampling Rate of 1 record for every 100.
Model -2-	Sampling Rate of 1 record for every 50.
Model -3-	Sampling Rate of 1 record for every 20.
Model -4-	Normalized log data from 0 to 1.
Model -5-	Use a specific focused range for data

CHAPTER 4

RESULTS

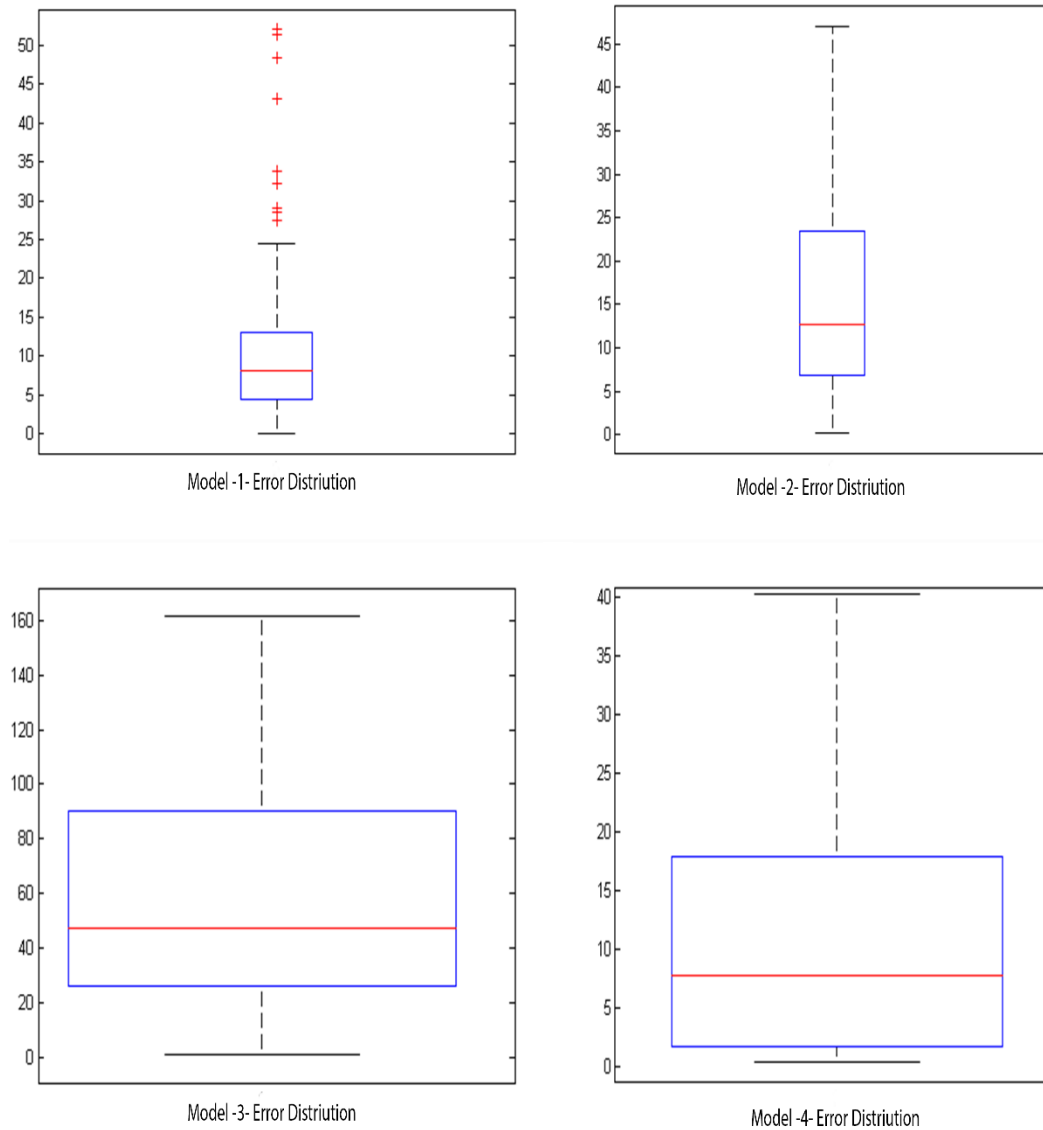


Figure 15: Comparison between different models prediction (Error **distribution** typing error at the graph captions)

4.1 Core Model Comparison

From the figure above as illustrated, we can see how the error distribution in each model. Model-1- shows wide range of error from 0% to 25%, but the outliers number are also considerably significant and with higher error between 25% and

50%. The model is indecisive, inaccurate and cannot be used to predict porosity from log data. Model -2-'s accuracy improves on the outliers' part as most of the data within the control range but most error is still from 0% to 25% and average error is almost 15% which is considered high. Model -3- is not viable at all as it range from 0% to 160% error evenly distributed across that range. Model -4- produces satisfactory results where error is between 0% and 40%, where most probability of error 3% to 18%. The mean error is 7%.

For low porosity, a 5% porosity reading with 18% error will give a shift in reading of 5.75% or 4.35% which is not highly significant. With high porosities, a 25% porosity reading with 18% shift gives a reading of 29.5% or 21.5%.,which is considered acceptable for high porosities values.

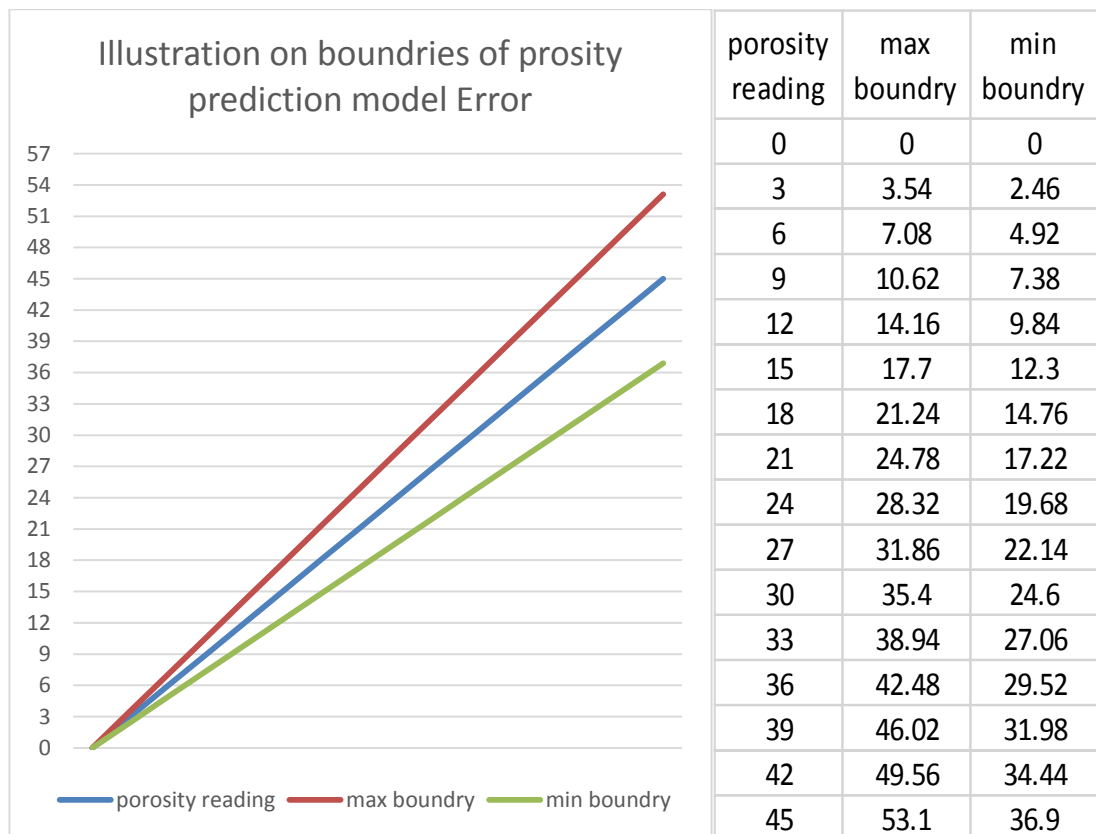


Figure 16: COMPARISON OF RANGE OF ERROR

The above figure shows the variation of error reading considering the highest value of 18%. We can see that for the most important ranges of 10% to 20%. The effect of error is considerably small and an acceptable result is obtained.

4.2 logs Model Comparison

DT prediction comparison between Model -3- and Model -5-.

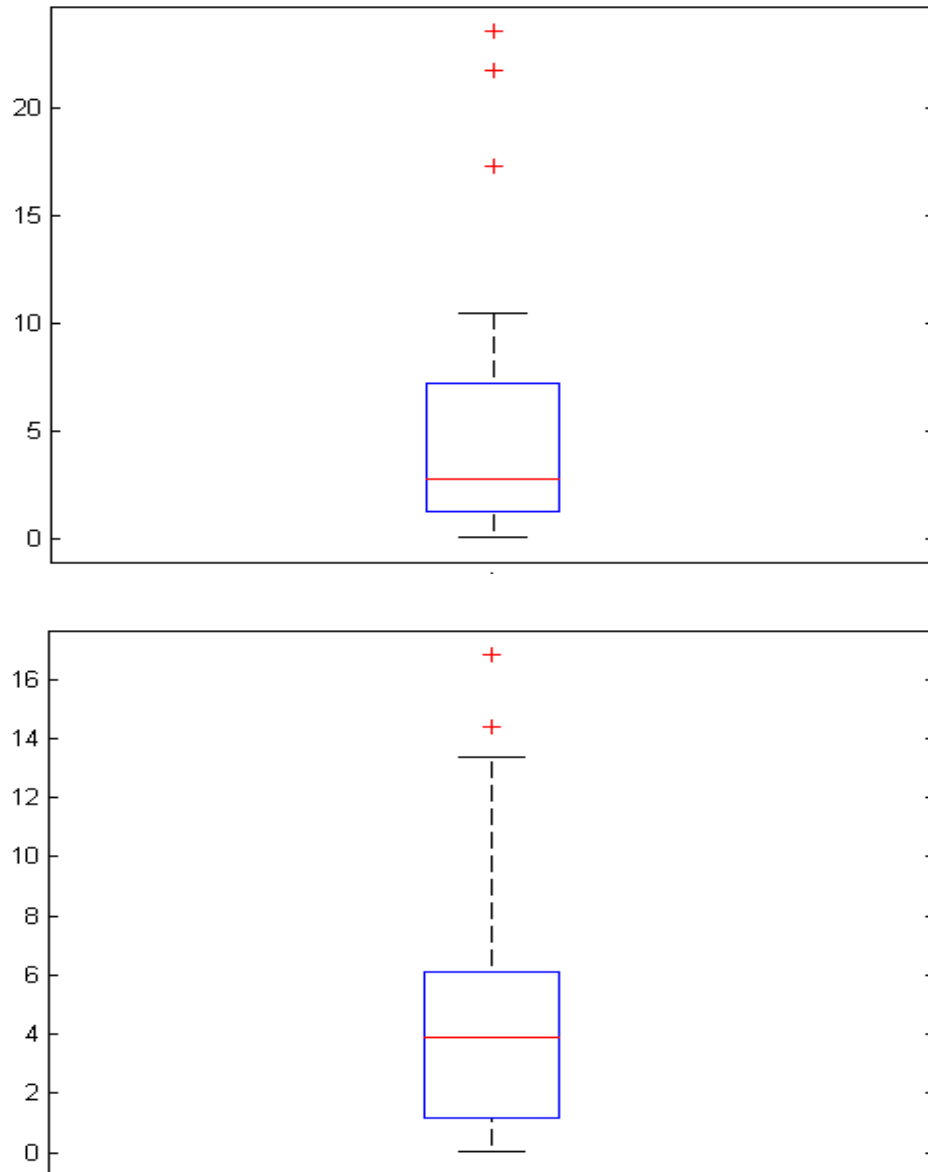


Figure 17: Comparison between DT model -3- (top) and model -5- (bottom) in Error distribution

GR prediction comparison between model -3- and model -5-

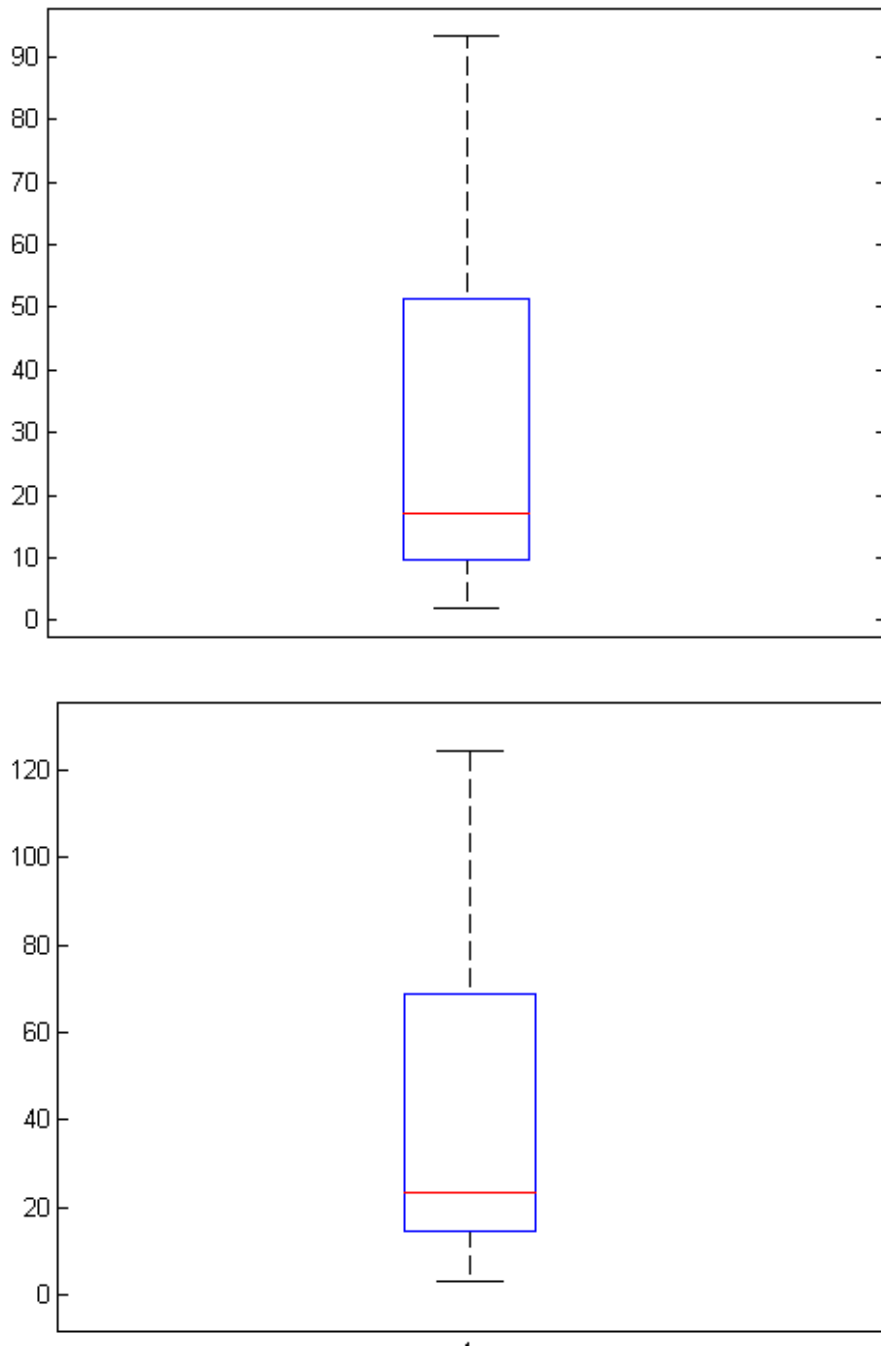


Figure 18: Comparison between NPHI model -3- (top) and model -5- (bottom) in Error distribution

NPHI prediction comparison between model -3- and model -5-

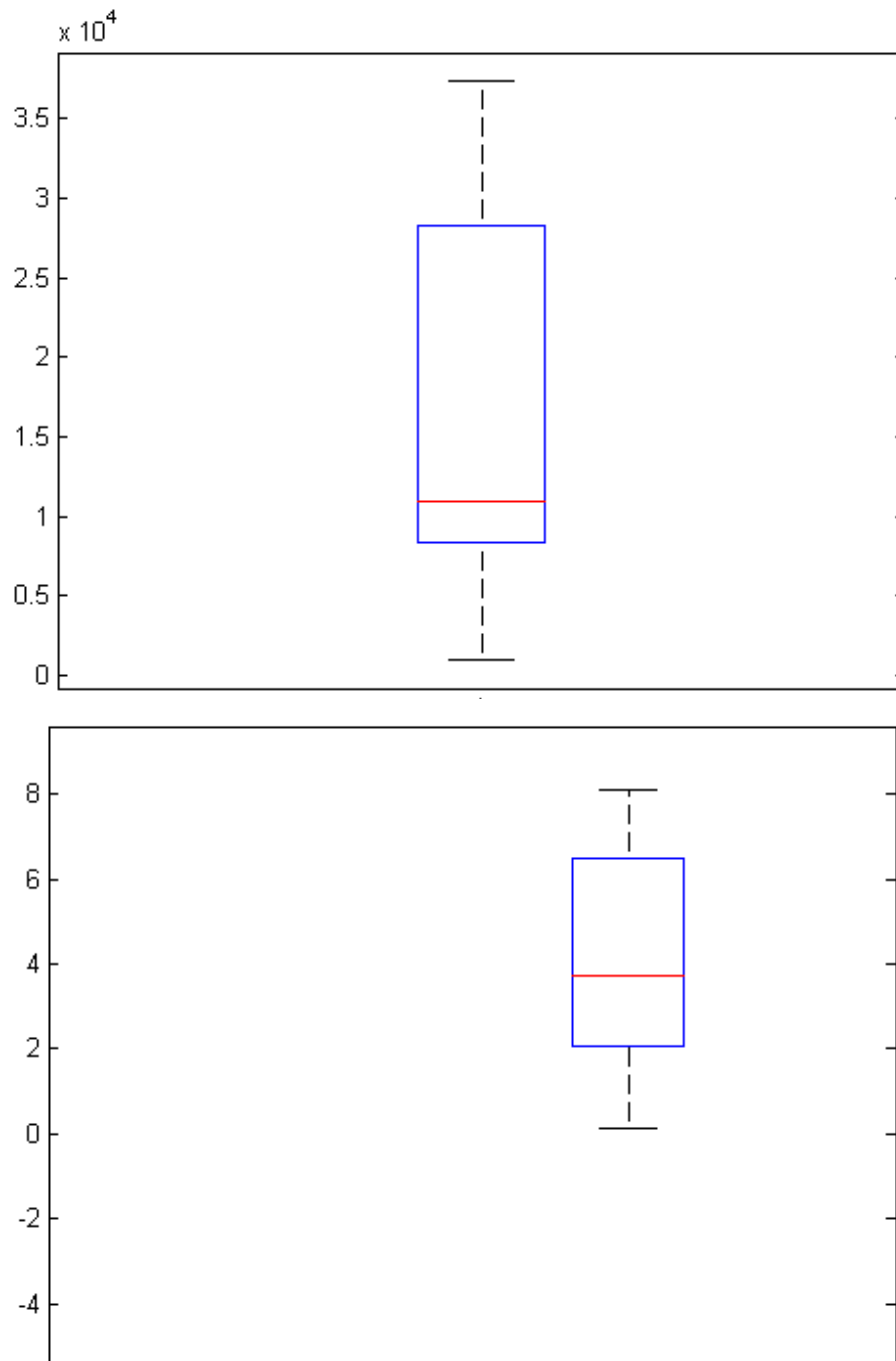


Figure 19: Comparison between NPHI model -3- (top) and model -5- (bottom) in Error distribution

ILD prediction comparison between Model -3- and Model -5-

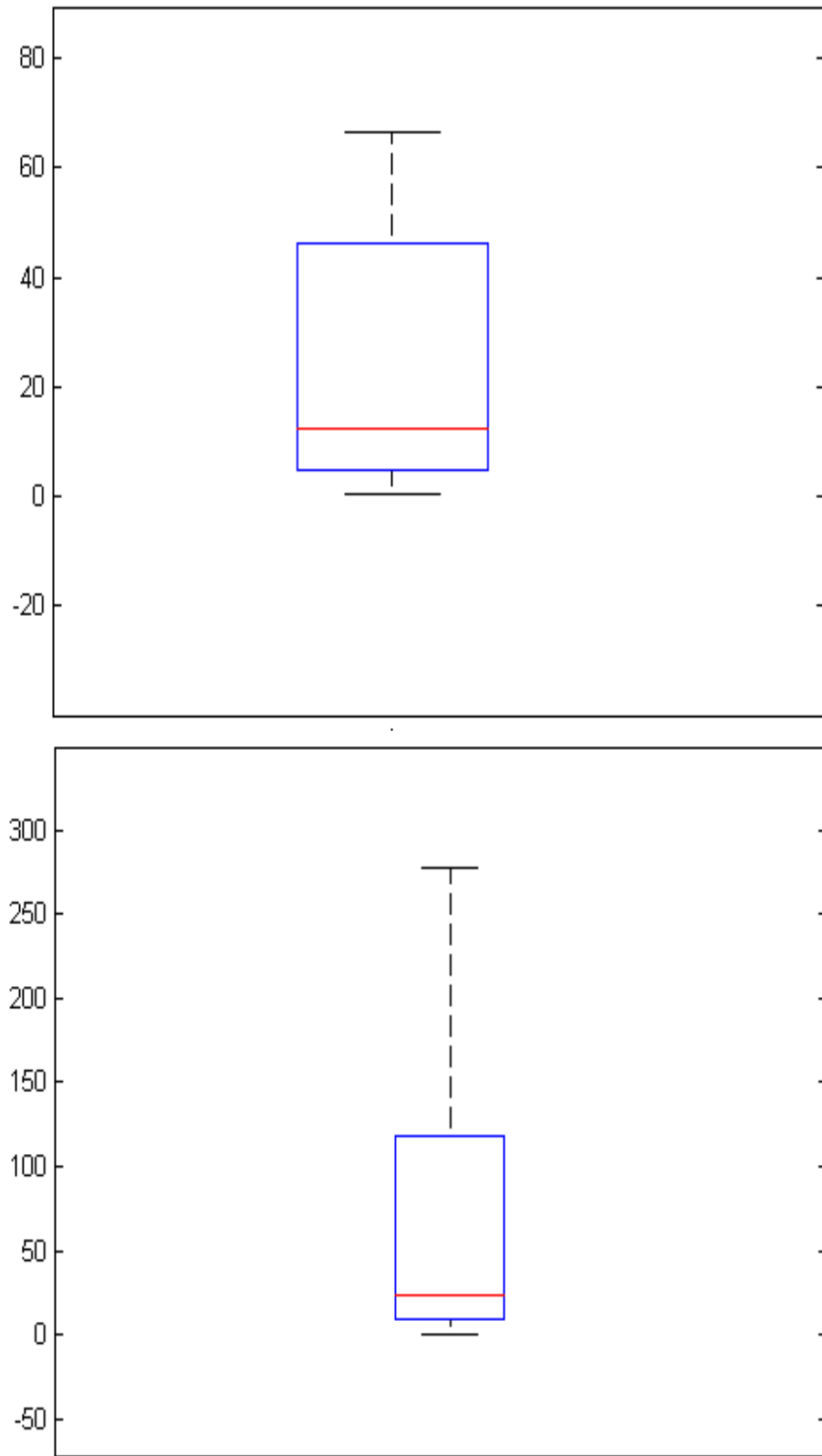


Figure 20: Comparison between \hat{ILD} model -3- (top) and model -5- (bottom) in Error distribution

RHOB prediction comparison between Model -3- and Model -5-

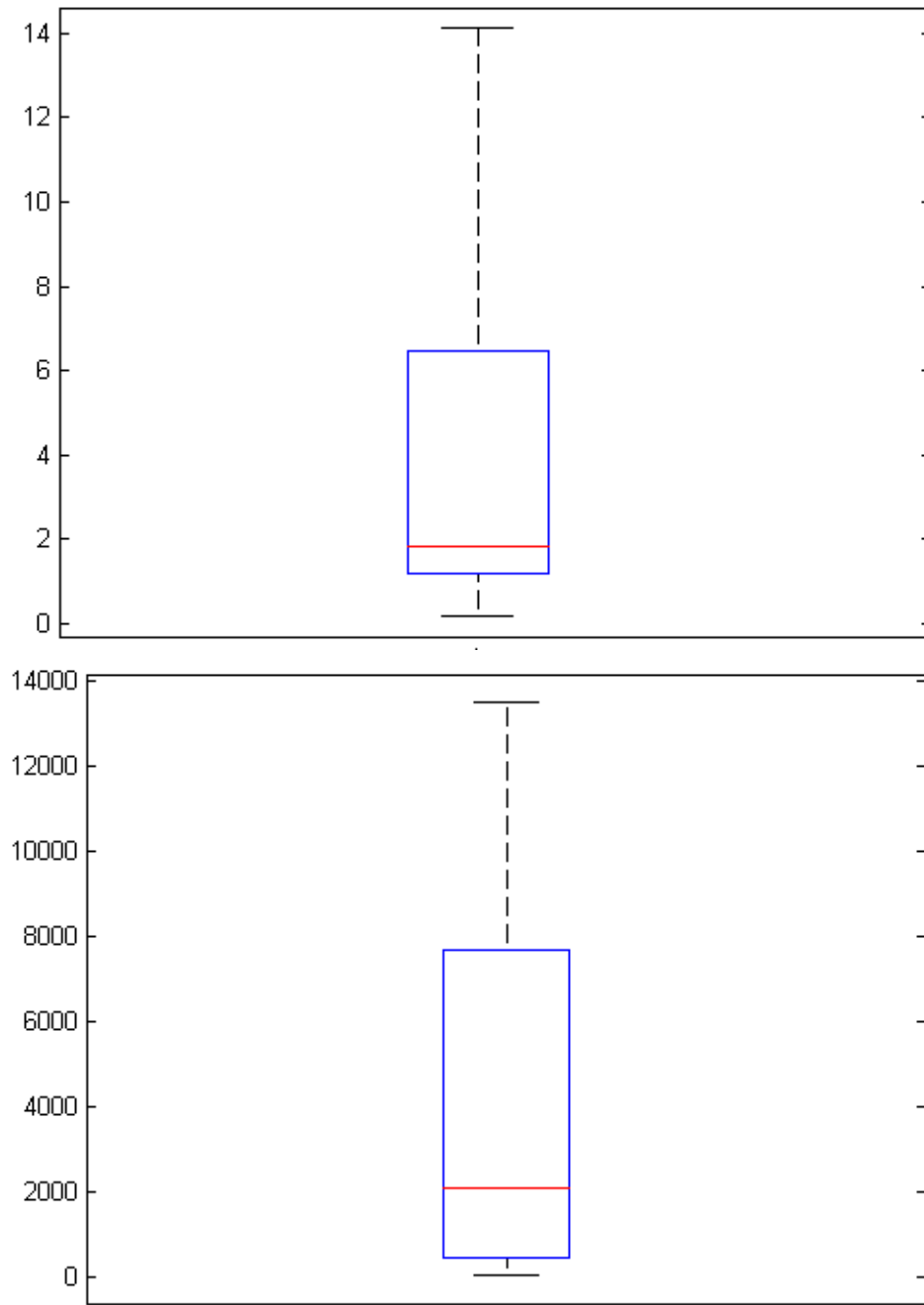


Figure 21: Comparison between RHOB Model -3- (top) and Model -5- (bottom) in Error distribution

ILM prediction comparison between Model -3- and Model -5-

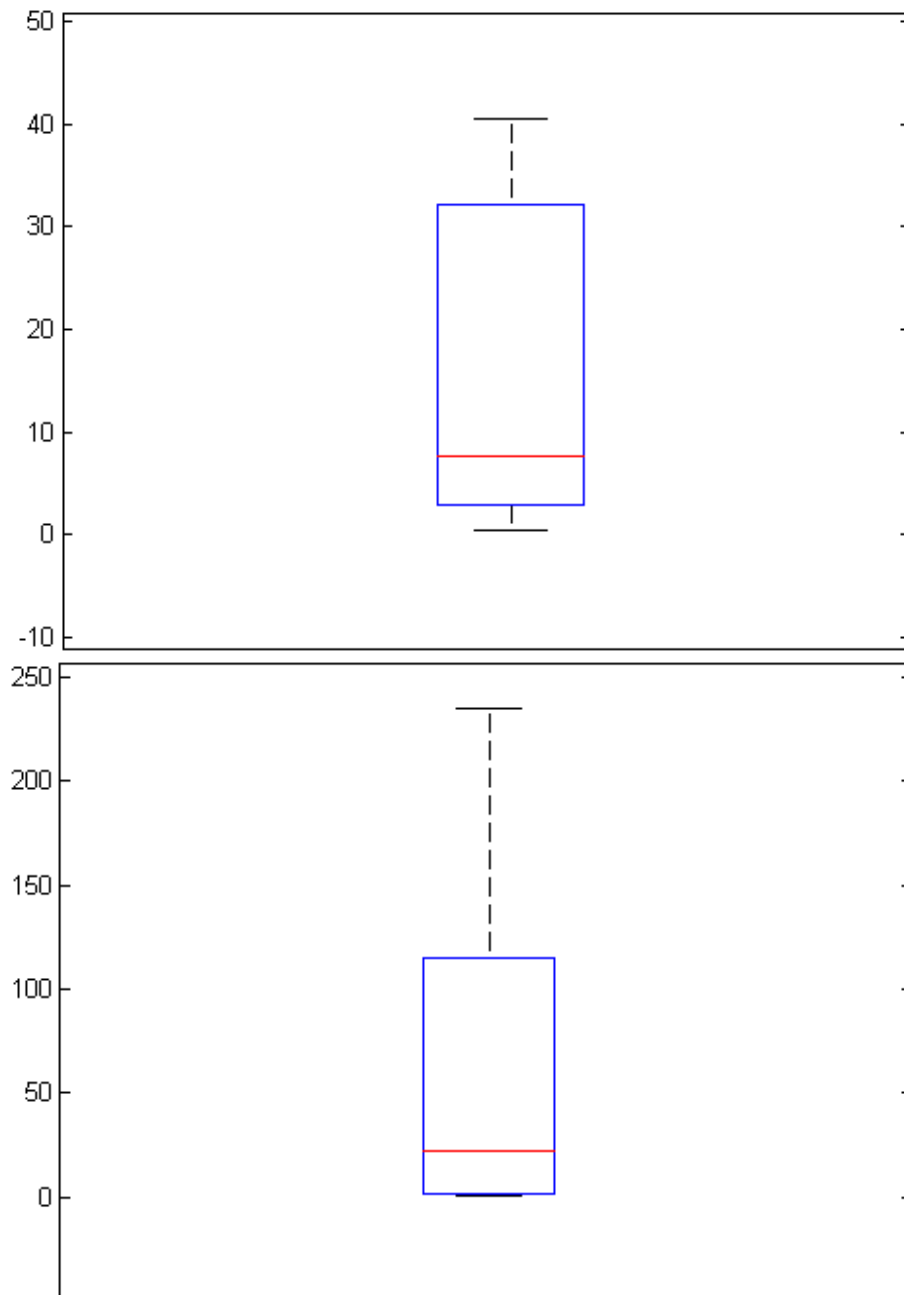


Figure 22: Comparison between ILM Model -3- (top) and Model -5- (bottom) in Error distribution

4.3 Trend logs prediction

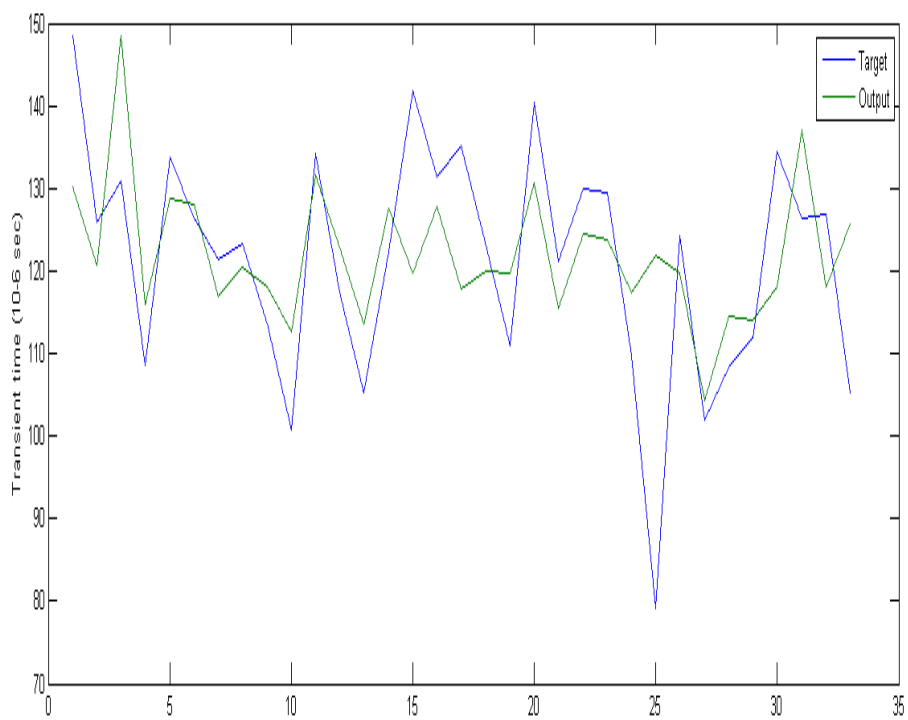


Figure 25: Trend of DT prediction from Gullfaks field

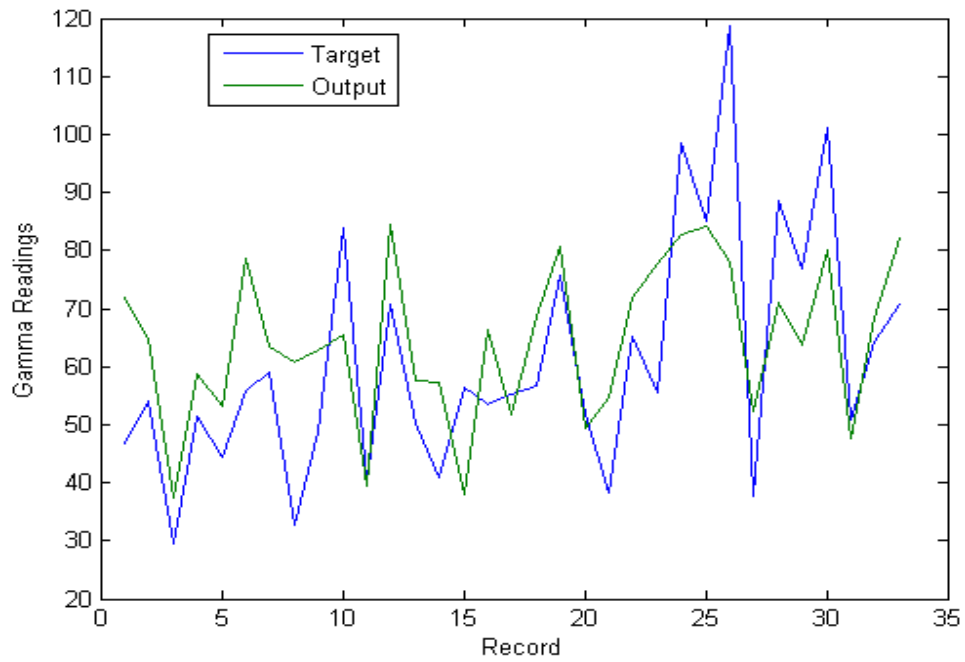


Figure 24: Trend of GR prediction from Gullfaks field

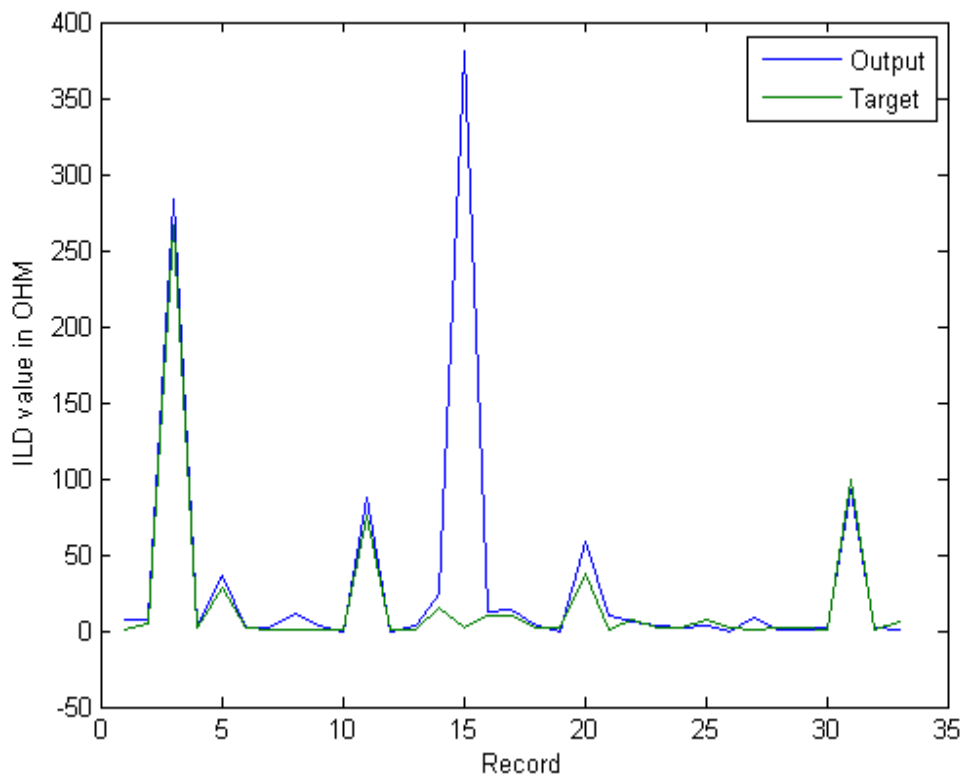


Figure 25: Trend of ILD prediction from Gullfaks field

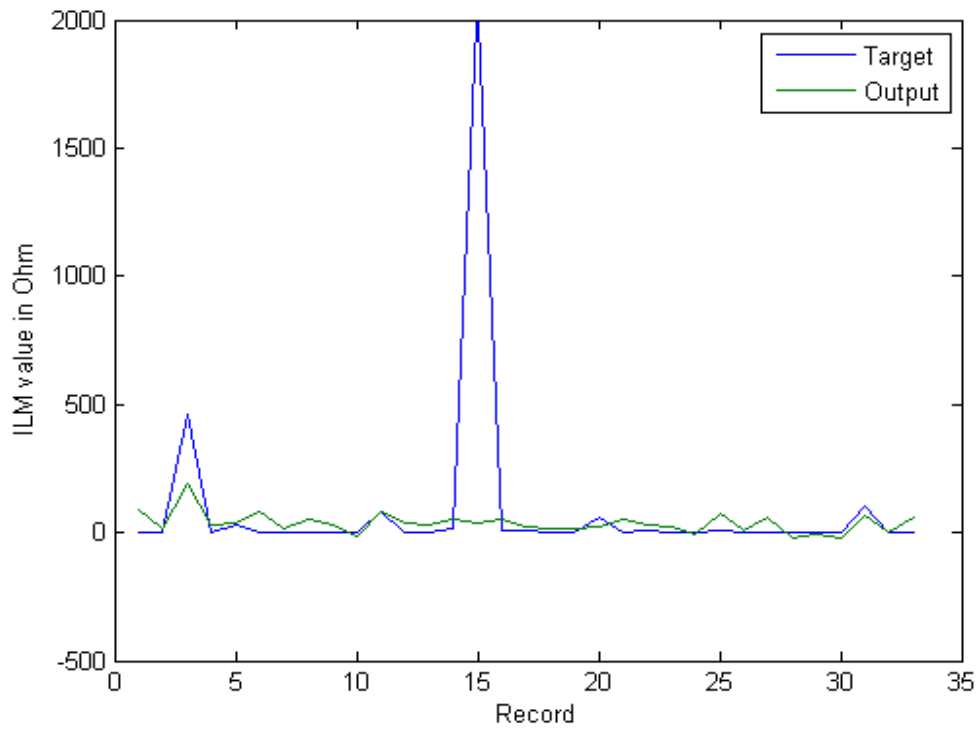


Figure 26: Trend of ILM prediction from Gullfaks field

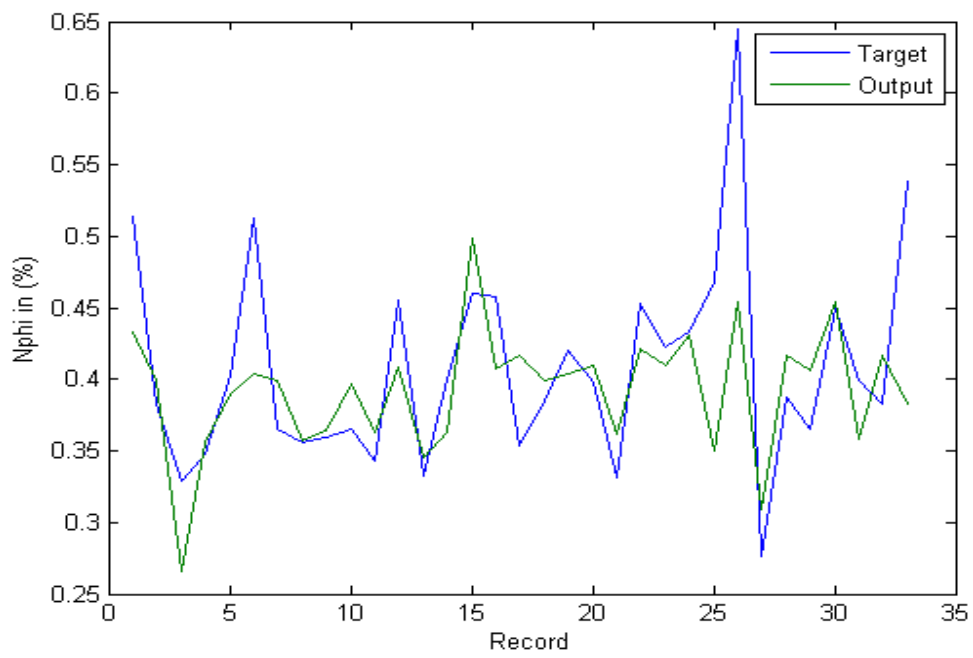


Figure 27: Trend of NPHI prediction from Gullfaks field

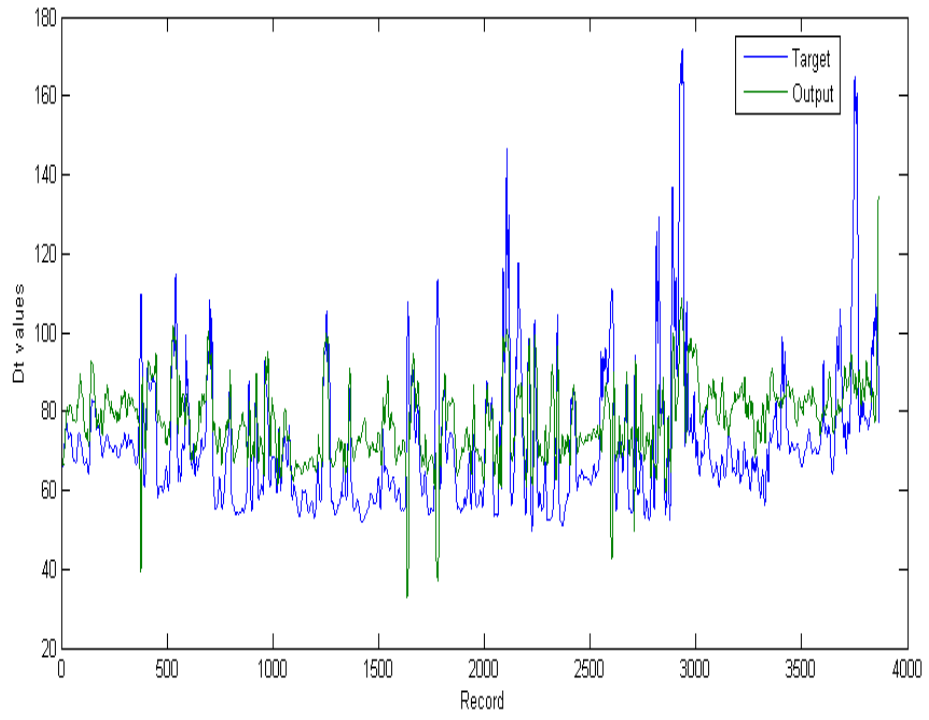


Figure 28: DT Model prediction from Kansas City Data

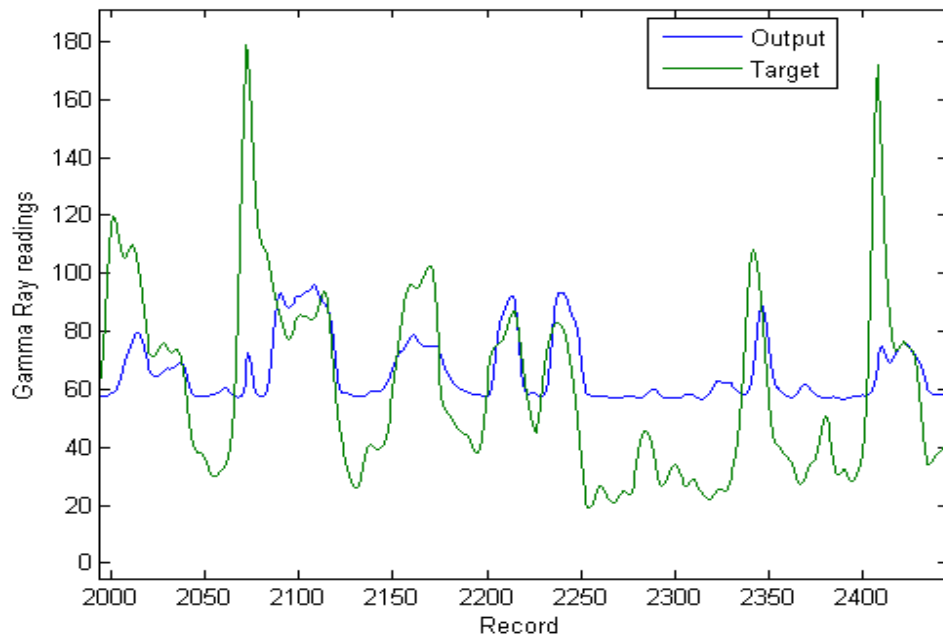


Figure 29: GR Model prediction from Kansas City Data

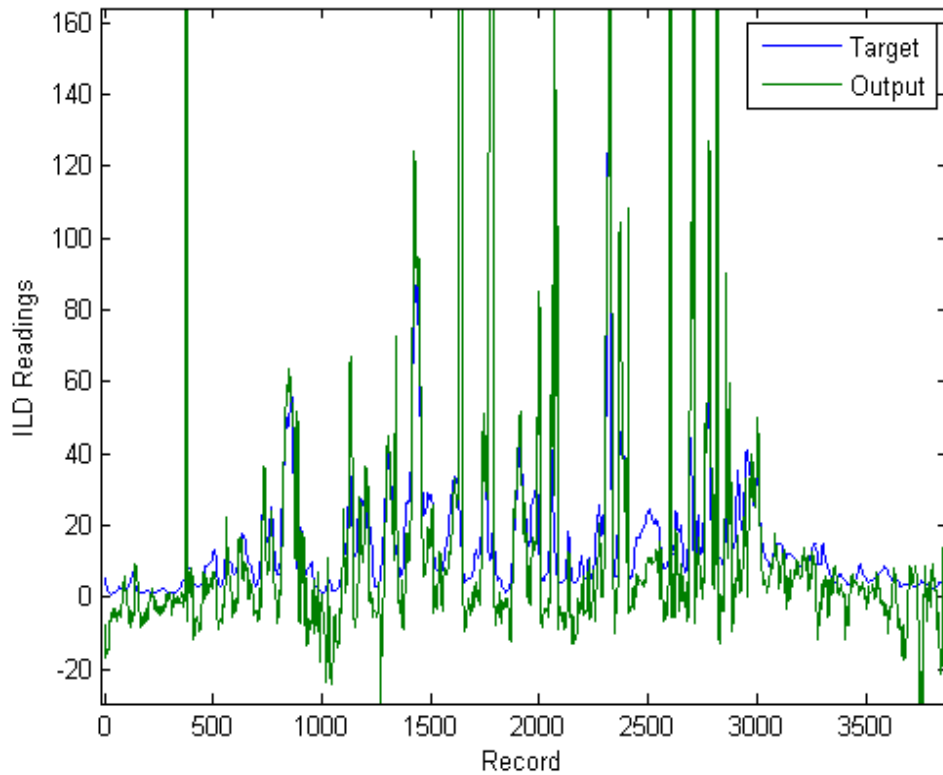


Figure 30: ILD Model prediction from Kansas City Data

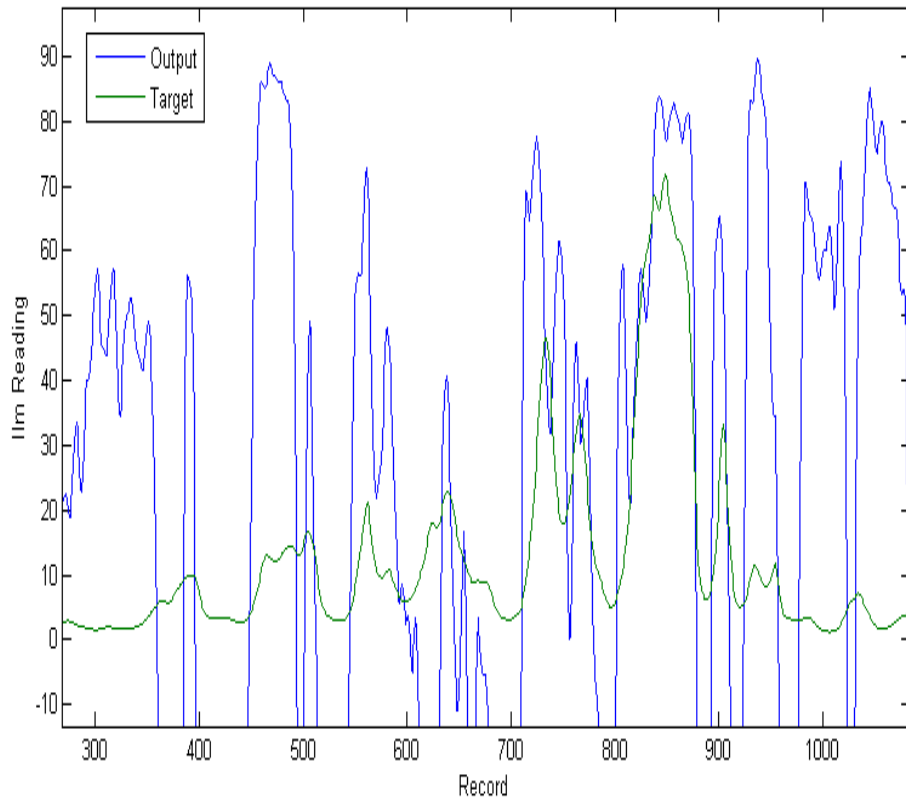


Figure 31: ILM Model prediction from Kansas City Data

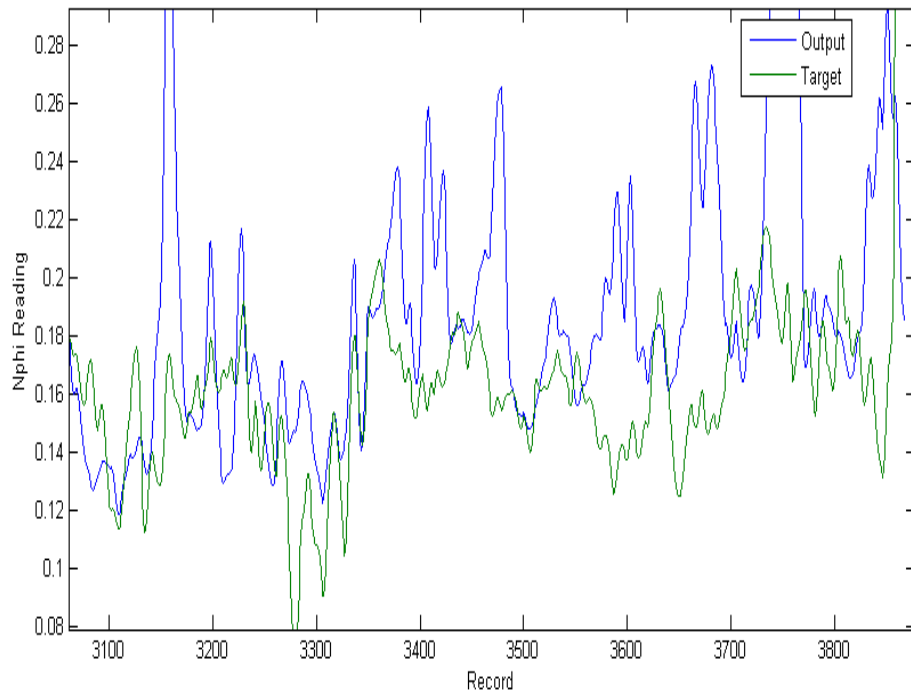


Figure 32: NPHI Model prediction from Kansas City Data

4.4 Discussion of Findings

Based on the previous results obtained from different models shows the following

4.1.1 Ability of ANN model to predict reservoir porosity.

Once the model is trained on the reservoir data, ANN shows strong capability in predicting different logs and petrophysical properties values. This returns to first that in a single reservoir the heterogeneity model is considered constant and same following specific function. The models generated represent a relation between the reservoir physical and petrophysical properties. Ex. Different logs readings and porosity readings.

4.1.2 Different training technique cause different results.

The models generated by ANN highly depend on method of training. More, it depends on the true universal relation that exists between the input and targets. On the other hand the model is as good as the training data is. Therefore we can see the model accuracy increase from model (1), model (2) then model (4).model (1) is constructed using all data record where they are simply divided randomly then ran into training the model. That is the reason why the model shows high number of outliers and errors outside the control box (not within boxplot diagram).

Model (2) is construct by predicting the porosity using two steps. First the model predicting different logs reading from other readings, this lead to some uncertainties correlation since we correlate each reading from original one. Then those new correlated logs is inputted into a new model to directly predict porosity.

Model (4) go further to omit all obvious wrong readings such as reading porosity of values more than 1. This leads to the optimum result. In reality further analysis can be done on the data to improve its quality but that is outside the scope of this study.

4.1.3 The model performance depend on the range where data is covered.

ANN models are highly sensitive to the actual readings numbers. For example, the following set is considered good data for training,

{1, 2, 5, 6, 9, 2.3, 5.3}

On the other hand the following data is considered very confusing data for the model training,

{1, 2, 5, 6, 9, 2.3, 5.3}

On the other hand the following data is considered very confusing data for the model training:

{100, 0.1, 5, 4.6, 8333, 938}.

The second set is considered highly irregular and confusing for the training method. This is observed in the ILM and ILD training, the model show very high error and un capable of finding low error results even though it can predict the trend in increasing or decreasing with the a good indication of the magnitude. A solution is proposed by many scholars to normalize the data but that actually lead to more error as observed in model (3).

4.1.4 ANN model has high speed training and testing capabilities.

A single ANN model can take between one tenth of a second to maximum of three (3) min in training which is considered fast and reliable tool for training huge number of small expert models. Within this research, 20 model can be created within one (1) hour including organizing, training and testing data. Also ANN model benefit from the fact that the testing computer consists of four cores which allow ANN to utilize all four core in training and testing the data. That is due to the design of ANN where each node can act as a single processing unit which allows it to process simple task on very high speed to create a complex model at the end.

4.1.5 Other factor that affect training quality.

Other factors that can impact model quality and speed are as follows

1) Number of hidden layers

- This factor actually highly depend on the complexity of relation the model try to identify. The more hidden layers to have the more complex the model will be which will impact highly on the training time. A single hidden layer found to be sufficient for most cases. Also in reservoir properties identification a single layer found to be sufficient.

2) Transform function type

- Transform function play essential role on how the final result is passed to the next node. A tansig function is found to result in high efficient model between inputs and hidden layer. While for output it is more preferred to have a liner relation of ($Y= X$).

3) Error Correction Algorithm.

- There is a lot of different types of error correction algorithms other than LM but LM model proved to be most used on engineering related models and have higher accuracy than other conventional error estimation methods. Testing other algorithms is outside the scope of this research.

CHAPTER 5

CONCLUSIONS AND RECOMMENDATIONS

ANN models are highly flexible and can be used in many areas where it is essential to have a mathematical model that can connect to variables that we cannot find a direct physical relation between them or the relation is too complex to be formulated using normal mathematics.

However, obtaining the right model is a method of trial and error and optimization of input data. Trial and error in choosing optimum hidden neuron number which highly depends on how many variables needed to define the mathematical relationship. Also in using the optimum transfer function? This is also a complex of what combination of those two variables? Finding the optimum model is a process of large trial and error using all possible combinations. There is no exact way to determine those two variables.

On the other hand, the quality of training data highly affects the final mathematical model accuracy. Which imposes a complexity on how certain we are about our data obtained. And can we depend on it to obtain such a mathematical model. Data with high certainty only can be valid and used to train networks.

Up to date ANN have been used in many fields such as security systems and monitoring systems, but the final decision is still decided and analyzed by human eye before implementation. Which imposes the question of applying ANN within a field. But definitely ANN can help in monitoring and assisting human decision. ANN is mostly used in fields where huge data need to be analyzed or when preliminary decisions need to be taken on short notice with low risk margin.

Further recommendation will be to investigate the new types of ANN like deep learning neural network where training process is more specific and easy to control. Deep neural network can be trained to identify specific features for each node which lead to the overall learning accuracy increase and final model is more expert.

Neural network also can be used to recognize different log drawings instead of values. Where clustering and pattern recognition can perform better than normal ANN method of comparing values to values. In such case the network will be

taught to identify curves and how to analysis them than analyzing data in numerical form.

CHAPTER 6

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CHAPTER 7

APPENDIX

APPENDIX – I – VBA code to extract data from .las files.

```
Sub organise()  
rw1 = 73  
c11 = 1  
rw2 = 1  
c12 = 1  
Do While rw1 < 99999  
    Do While c11 < 8  
        'MsgBox (rw1 & " " & c11 & " " & rw2 & " " & c12)  
        If Worksheets("1").Cells(rw1, c11).Value = "" Then  
            GoTo nextcycle  
        End If  
        Worksheets("2").Cells(rw2, c12).Value = Worksheets("1").Cells(rw1,  
c11).Value  
        c12 = c12 + 1  
    nextcycle:  
        If c12 > 22 Then  
            rw2 = rw2 + 1  
            c12 = 1  
        End If  
        c11 = c11 + 1  
    Loop  
    c11 = 1  
    rw1 = rw1 + 1  
Loop  
End Sub
```

APPENDIX – II – VBA code to organise data from directory of .las files.

```
#include <fstream>
#include <iostream>
#include <string>
#include <stdio.h>
using namespace std;
int main()
{
    string dir,name_file,txt;
    int inpt[23];
    int prnt[23];
    ifstream filedir;
    filedir.open("C:\\Users\\ahmed\\Desktop\\FYP_data\\b\\dir.txt");
    while (filedir >> dir)
    {
        filedir >> name_file;
        ifstream myfile;
        myfile.open(dir);
        int validme = 0, lenth = 0, mover = 0, allow = 0, lock1 = 0, lock2 = 0;
        txt = "";
        ofstream wrtin;
        wrtin.open("C:\\Users\\ahmed\\Desktop\\FYP_data\\b\\data2\\" +
name_file);
        while (myfile >> txt)
        {
            if (txt == "#" && validme < 1)
            {
                validme++;
                lock1 = 1;
            }
            if (txt == "DEPT" && validme < 2 && lock1 == 1)
            {
                validme++;
            }
            if (txt == "~A")
            {
                validme = 3;
                wrtin << endl;
                allow = 1;
                continue;
            }
            if (validme == 2)
            {
                if (txt == "#")
                {
                    continue;
                }
                wrtin << txt << " ";
                lenth++;
            }
            if (allow == 1)
            {
                if (mover == lenth)
                {
                    wrtin << endl;
                    mover = 0;
                }
                if (txt == "#")
                {
                    continue;
                }
                wrtin << txt << " ";
                mover++;
            }
            //cout << txt<<endl;
        }
        myfile.close();
        wrtin.close();
    }
    getch();    return 0; }
```

APPENDIX – III – C++ code to extract selective logs data from directory of .las files.

```

#include <fstream>
#include <iostream>
#include <string>
#include <stdio.h>
#include <cmath>
#include <cstdlib>
using namespace std;
int main()
{
    cout << "start";
    string dir, name_file, txt;
    ifstream filedir; //open take directory of file
    filedir.open("C:\\Users\\ahmed\\Desktop\\FYP_data\\b\\dir2.txt");
    while (filedir >> dir)
    {
        filedir >> name_file;
        ifstream myfile;
        myfile.open(dir);
        txt = "";
        ofstream wrtin;
        wrtin.open("C:\\Users\\ahmed\\Desktop\\FYP_data\\b\\data3\\" +
name_file);
        wrtin << name_file << " ";
        char a = txt[0];
        int inpt[10] = { 0, 0, 0, 0, 0, 0, 0, 0, 0, 0 };
        int b = 0, c = 0, allow = 0 ;
        int max2 = 0, c1 = 0, max = 0, b1 = 0;
        while (myfile >> txt)
        {
            a = txt[0];
            if (isdigit(a) && allow == 0)
            {
                allow = 1;
                max2 = c; max = b;
                wrtin << endl << name_file << " ";
            }
            if ((txt == "DEPT" || txt == "DRHO" || txt == "DT" || txt == "GR" ||
txt == "CALI" || txt == "BS" || txt == "NPHI" || txt == "ILD" || txt == "ILM") && allow == 0)
            {
                wrtin << txt << " ";
                inpt[b] = c;
                b++;
            }
            if (inpt[b1] == c1 && allow == 1)
            {
                wrtin << txt << " ";
                b1++;
            }
            if (!(b1 < max) && allow == 1)
            {
                wrtin << endl << name_file << " ";
                b1 = 0; }
            if (allow == 0) { c++; }
            if (allow == 1) { c1++; }
            if (!(c1 < max2) && allow == 1)
            {
                c1 = 0;
            }
        }
        myfile.close();
        wrtin.close(); }
    getchar(); return 0;
}

```

